

EE 463

(11)

18/11/2019

to Transfer information from Transducer to Controller  
by changing the electrical signal to Digital

1. RTD  $\rightarrow$  PT 100  $\rightarrow$  Transducer for Temp. can read  
[0 ~ 139  $\Omega$ ]

@  $0^\circ\text{C} = 100 \Omega$  ,  $[0.39 \Omega/^\circ\text{C}]$

Ex: @  $23^\circ\text{C} \Rightarrow 100 + (23 \times 0.39) = 108.97 \Omega$

TTL

CMOS

0	1	0	1
off	on	off	on
0 volt	5 volt	0 volt	(3 ~ 18) volt

in  $\rightarrow$  (0 ~ 0.8) V (2 ~ 5.5) V

out  $\rightarrow$  (0 ~ 0.5) V (4.9 ~ 5) V

التيار الجهد (range 0.1 ~ 10 mA)

\* 137  $\Omega$  what's The temp.  $137 \Omega - 100 \Omega = 37 \Omega$

$$T = 37 \Omega / 0.39 \frac{\Omega}{^\circ\text{C}} = 94.87^\circ\text{C}$$

36  $\rightarrow$  Data acquisition: is The process by which physical phenomena from The real world are transformed into electrical signals that are measured & converted into digital format for processing analysis & storage by a computer.

2. LM 35  $\rightarrow$  Transducer for measure Temp.

(0 ~ 100 $^\circ\text{C}$ )

10 mV/ $^\circ\text{C}$

[0 ~ 1 V]



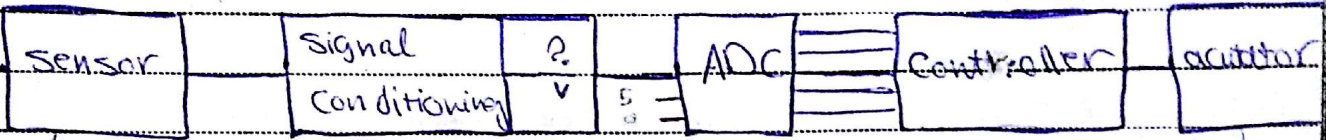
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## Fundamentals of Data acquisition

Sensor

Field wiring

Signal Conditioning → filtering, Amplification, isolation, linearization, Excitation

Data acquisition hardware →

Controller (operating system) → Arduino, PC, etc.

Data acquisition software

7805 → 5V , 7812 → , 7905 → -5V , 7912 → -

Voltage Regulation

Real Time Operating system →

25/11/2019

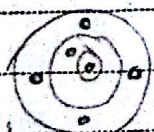
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Accuracy

تعريف - مدى صحة قراءة الجهاز  
ومقدار تقارب نتائج القياس في الجهاز  
Measurement Uncertainty -

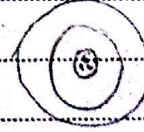
precision / Repeatability / Reproducibility



low precision  
low accuracy

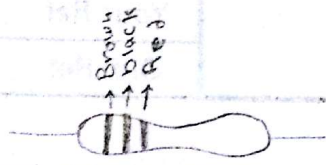


High Precision  
low Accuracy



High accuracy  
High precision

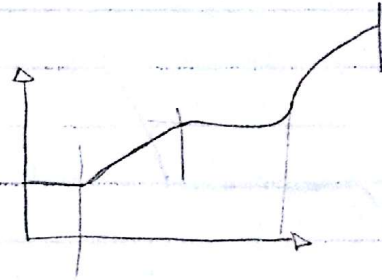




Resistor

(800Ω ~ 1200Ω)

★ linearity →



LM35

10mV/°C

RTD

@0°C

100Ω

0.39Ω/°C

Example →

R(Ω)

Temp (°C)

307

200

7Ω ← 30°C

314

230

321

260

R=260.3Ω ← T=0°C

328

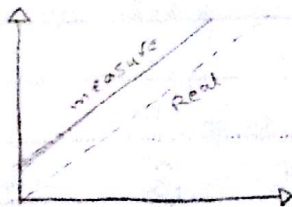
290

$R_{T=0} = 261\Omega$

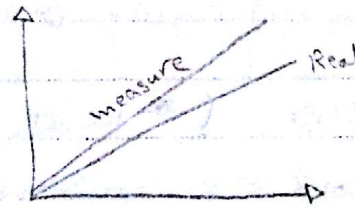
$$\frac{200}{30} = 6.67$$

$$7 \times 6.67 = 46.67$$

$$307 - 46.67 = 260.3\Omega$$



Bias zero drift



Sensitivity drift



→ accuracy → آخر و آخره ما accuracy  
Temp. coefficient

Master excess



حتى لما يوصل لمستوى معين يتوقف  
التيار عند المستوى (2) و آخره مستوى معين  
مختلفين



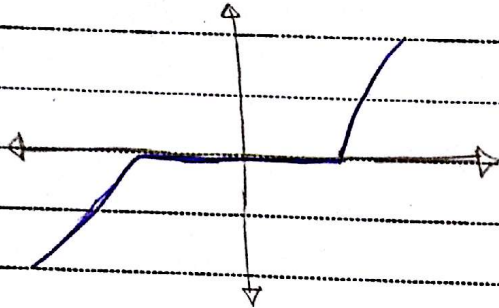
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\* Resolution ▶

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Range ▶ 0 to 100 (0 ~ 100)

Span ▶ 100 - 0 = 100

Range ▶ -20 ~ 120

Span ▶ 120 - (-20) = 140

Signal Conditioning ▶

RTD ▶ PT100 ( $100\Omega + 100 \times 0.39 \frac{\Omega}{^\circ\text{C}}$ )D  $0^\circ\text{C} = 100\Omega$ , Sensitivity =  $0.39 \Omega/^\circ\text{C}$ 

2 EX ▶ (0 ~ 100°C) Temp range

$$(100\Omega + (0^\circ\text{C} \times 0.39 \frac{\Omega}{^\circ\text{C}})) \sim (100\Omega + (100^\circ\text{C} \times 0.39 \Omega/^\circ\text{C}))$$

$$(100\Omega \sim 139\Omega) \#$$

3 EX ▶ (-20°C ~ 120°C)

$$(100\Omega + (-20^\circ\text{C} \times 0.39 \frac{\Omega}{^\circ\text{C}})) \sim (100\Omega + 120 \times 0.39 \frac{\Omega}{^\circ\text{C}})$$

$$(92.2\Omega \sim 146.8\Omega) \#$$

[4]



LM35

sensitivity =  $10 \text{ mV}/^\circ\text{C}$

Temp range ( $0 \sim 100^\circ\text{C}$ ) , Sensor o/p range ( $0 \text{V} \sim 1 \text{V}$ )

4 EX ▶

accelerometer range ( $\pm 20g$ ) , & @  $0g = 5 \text{mA}$

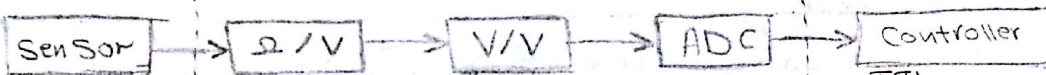
Sensitivity =  $0.115 \text{ mA/g}$ , calculate The sensor output range ?

accelerometer range ( $-20g \sim 20g$ )

accelerometer range o/p ▶  $(5 + -20 \times 0.115) \sim (5 + 20 \times 0.115)$   
 $(2.7 \text{mA} \sim 7.3 \text{mA})$  #

5 EX ▶

Signal conditioning



TTL

0/1

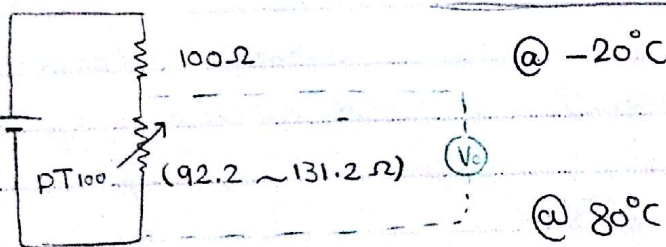
0/5

$(0 \sim 0.8 \text{V}) \sim (2 \sim 5.5 \text{V})$

PT100 ▶ range ( $-20 \sim 80^\circ\text{C}$ )

Sensor o/p range ▶  $[(-20^\circ\text{C} \times 0.39 \frac{\Omega}{^\circ\text{C}}) + 100] \sim [(80^\circ\text{C} \times 0.39 \frac{\Omega}{^\circ\text{C}}) + 100]$   
 $(92.2 \Omega \sim 131.2 \Omega)$

← \* Single Ended



Voltage divider

$$V_0 = 9 \text{V} \times \frac{92.2}{92.2 + 100} = 4.317 \text{V}$$

$$V_0 = 9 \text{V} \times \frac{131.2}{131.2 + 100} = 5.107 \text{V}$$

Sensor output range in Voltage ( $4.317 \text{V} \sim 5.107 \text{V}$ )



FROM

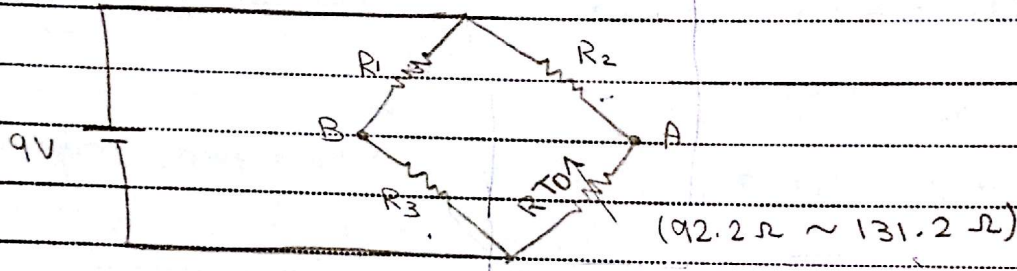
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Subject  $R_1 = 120\Omega$ ,  $R_2 = 130\Omega$ ,  $R_3 =$  calculate using  $\odot$

"نقطہ"



Wheatstone

Voltage divider is bridge 11 نکتہ

1- more accuracy.

2- Start measuring from Zero. "best"

$$R_1 \times R_1 = R_2 \times R_3 \quad \odot$$

$$92.2 \times 120 = 130 \times R_3 \rightarrow R_3 = 85.107\Omega$$

نقطہ

$$V_A = 9 \times \frac{92.2}{92.2 + 130} = V_s \times \frac{R_1}{R_1 + R_2} = 3.734 \text{ V}$$

$$V_B = V_s \times \frac{R_3}{R_3 + R_1} = 9 \times \frac{85.107}{85.107 + 120} = 3.734 \text{ V}$$

$$\Delta V = V_A - V_B = 0 \text{ V}$$

نقطہ

$$V_B = 3.734 \text{ V}$$

$$V_A = 9 \times \frac{131.2}{131.2 + 130} = 4.52 \text{ V}$$

$$\Delta V = V_A - V_B = -0.7866 \text{ V}$$

Bridge o/p Range (0 ~ 0.786 V) #



6 EX ▶

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المعالج

(1) Bridge O/P = 0.5 V

(2) Divider O/P = 4.5 V

Calculate The Temp of each ?

From (2)

$$4.5 = 9V \frac{R_2}{R_2 + 100}, R_2 = 100 \Omega \rightarrow \text{Temp} = 0^\circ \text{C} \quad \#$$

From (1)

$$\Delta V = V_A - V_B$$

$$\Delta V + V_B = V_A$$

$$V_A = 0.5 + 3.734 = 4.234 \text{ V}$$

$$4.234 = 9 \times \frac{RTD}{RTD + 130 \Omega} = 115.48 \Omega \quad \#$$

$$\frac{110 \Omega - 100 \Omega}{0.39 \Omega / ^\circ \text{C}} = 39.69^\circ \text{C} \quad \#$$

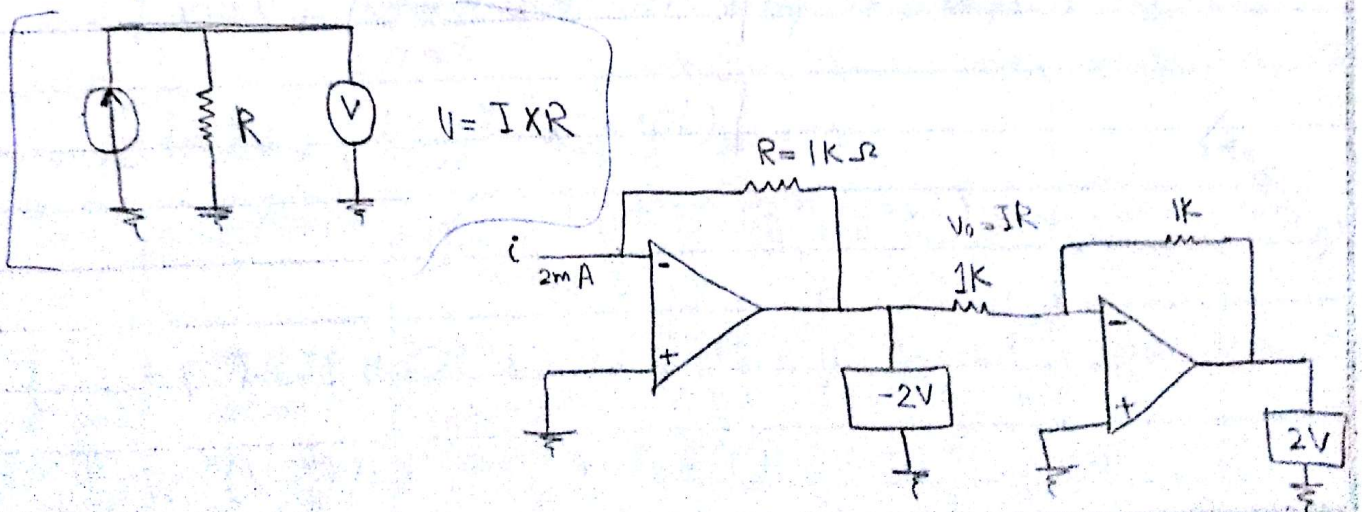
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7 EX ▶

pressure sensor Sensitivity 0.12mA/bar working in The Range (0 ~ 40 bar), calculate The Sensor output Range ?





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0 ~ 40 bar

0 x 0.12 mA ~ 40 x 0.12 mA

(0 ~ 4.8 mA)

using Resistance  $R = 1k\Omega$ (0 ~ 4.8 mA x 1k $\Omega$ )

0 ~ 4.8 V \*

8EX ▶

Pressure Sensor Sensitivity 0.11 mA/bar & @ 0 bar = 27 mA, working in the Range (1 ~ 15 bar)  
Calculate the Sensor output Range and convert it to Voltage using  $R = 500\Omega$ , calculate the Voltage Range.

Pressure Range (1 ~ 15 bar)

Sensor output Range  $\left[ \left( 1 \text{ bar} \times \frac{0.11 \text{ mA}}{\text{bar}} \right) + 27 \text{ mA} \right] \sim$  $\left[ \left( 15 \text{ bar} \times \frac{0.11 \text{ mA}}{\text{bar}} \right) + 27 \text{ mA} \right]$ 
 $(2.81 \text{ mA} \sim 4.35 \text{ mA}) \times$   
 $(27.11 \sim 28.65) \checkmark$ 
Voltage Range (2.81 mA x 500 $\Omega$  ~ 4.35 mA x 500 $\Omega$ )(1.405 V ~ 2.175 V) \*<sub>x</sub>(13.555 V ~ 14.325 V)  $\checkmark$



9 Ex ▶

LM35 : Temp Sensor working in The Range (0~100°C)  
With Sensitivity 10mV/°C, calculate The output  
Sensor in The Range (25 ~ 40°C)

$$(25^{\circ}\text{C} \times \frac{10\text{mV}}{^{\circ}\text{C}}) \sim (40^{\circ}\text{C} \times \frac{10\text{mV}}{^{\circ}\text{C}})$$

$$(250\text{ mV} \sim 400\text{ mV})$$

accelerometer	MS1002	MS1005	MS1010	unit
Full Scale acceleration	±2	±5	±10	g
Scale factor Sensitivity	1350	540	270	mV/g

$$V[t] = V[t-1] + ((A[t] + A[t-1]) * \frac{T}{2})$$

$$Pos[t] = Pos[t-1] + ((\cancel{V}[t] + \cancel{V}[t-1]) * \frac{T}{2})$$

interval

→ \*

10 Ex ▶

Using The accelerometer MS1010, calculate The  
acceleration, velocity, position, for each following Reading  
interval = 100 ms

	Time t	acc output (mV)	acceleration (g)	acceleration (m/s²)	V[t] m/s	Displacement (m)	Position (m)
t <sub>0</sub>	0	0	0	0	0	0	0
t <sub>1</sub>	100 ms	200 mV	200/270 = 0.74 g	0.74 * 9.81 = 7.26	0.363	0.018 m	0.018 m
t <sub>2</sub>	200 ms	500 mV	500/270 = 1.85 g	18.167	1.634	0.118 m	0.118 m
t <sub>3</sub>	300 ms	470 mV	470/270 = 1.74 g	17.07	3.395	0.218 m	0.218 m
t	400 ms	200 mV					
		0 mV	0 g	0			
		-120 mV	-0.444	-4.35			

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$$V[t] = V[t-1] + (A(t) + A(t-1)) * \frac{T}{2}$$

from (\*)  $t = 200 \text{ ms}$ 

$$V[t] = 0.363 + (18.167 + 7.26) 50 \times 10^{-3} = 1.634 \text{ m/s}$$

$$Pos[t] = 0.018 + (1.634 + 0.363) 50 \times 10^{-3} = 0.118$$

 $t = 300 \text{ ms}$ 

$$V[t] = 1.634 + (17.07 + 18.167) 50 \times 10^{-3} = 3.395 \text{ m/s}$$

$$Pos[t] = 0.118 + (3.395 + 1.634) 50 \times 10^{-3} = 0.369 \text{ ms ?}$$

 $t =$ 

what's The sensor output Range?

Sensor acc range  $(-10 \text{ g} \sim +10 \text{ g})$ 

$$\text{a/p} \quad \left[ \left( \frac{-10 \text{ g} \times 270 \text{ mV}}{\text{g}} \right) \sim \left( \frac{10 \text{ g} \times 270 \text{ mV}}{\text{g}} \right) \right]$$

$$(-2.7 \text{ V} \sim 2.7 \text{ V})$$

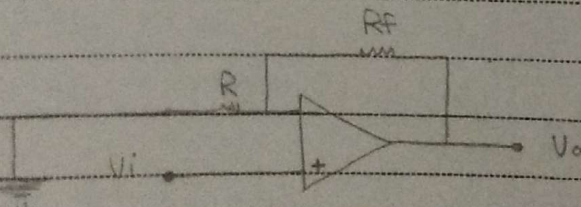
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operational Amplifier: op-amp

non-inverting amp



$$V_o = \left( \frac{R_f}{R} + 1 \right) V_i$$

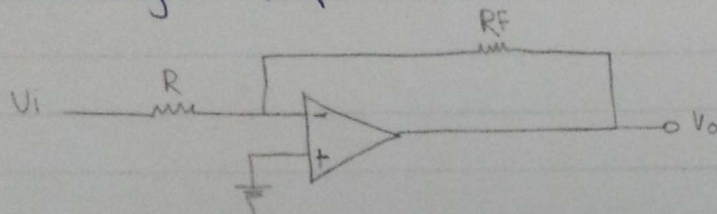


EX ▶

$$R = 1K\Omega, R_F = 1.5K\Omega, V_i = 1.75V, V_o = 4.375 \#$$

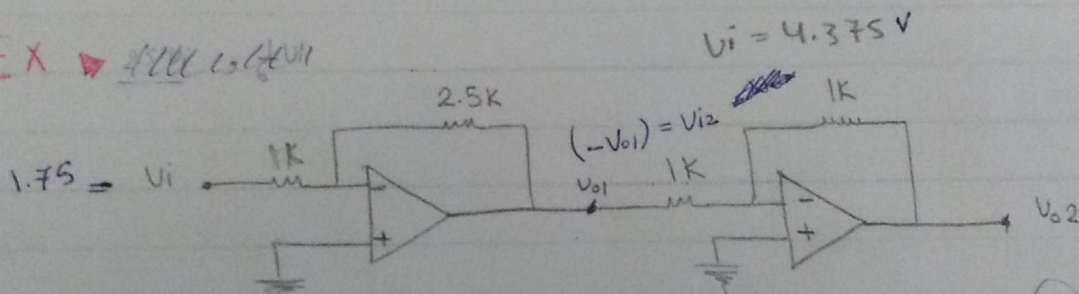
Same fig above ☺

② Inverting Amp ▶



$$V_o = -\frac{R_F}{R} \times V_i \quad ?!$$

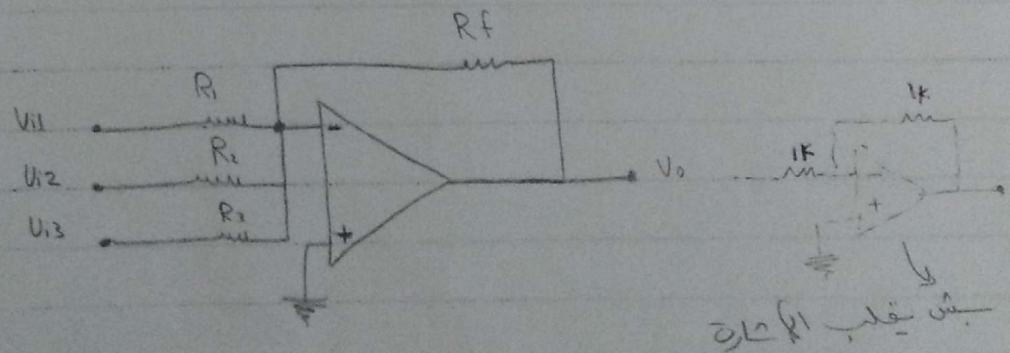
12 EX ▶ ~~4.375V~~ <sup>1.75V</sup>



$$V_{o1} = -4.375, V_{o2} = 4.375 \# \checkmark$$

?

③ Addition ▶



$$V_o = \left( \frac{R_F}{R_1} V_{i1} + \frac{R_F}{R_2} V_{i2} + \dots + \frac{R_F}{R_n} V_{in} \right)$$

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13 Ex ▶  $R_f = 2.5 \text{ K}\Omega$ ,  $R_1 = R_2 = R_3 = 1 \text{ K}\Omega$   
 $V_1 = 1.25 \text{ V}$ ,  $V_2 = 0.75 \text{ V}$ ,  $V_3 = 2 \text{ V}$ ,  $V_o = ?$

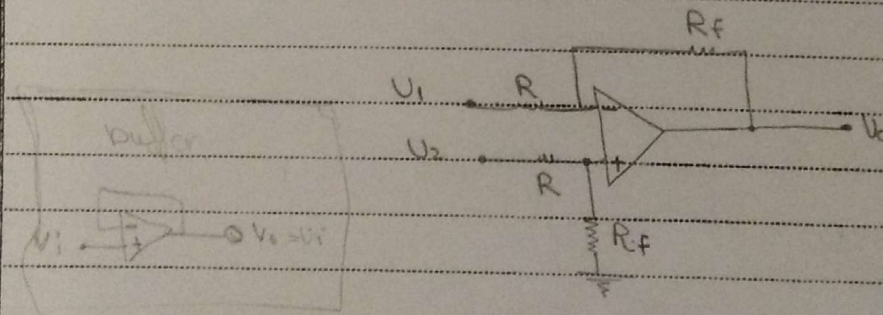
$$V_o = 2.5 (1.25 + 0.75 + 2) = 10 \text{ V}$$

14 Ex ▶ find  $2V_1 + 3V_2 + \frac{1}{4}V_3 = ?$

15 Ex ▶ what's The average of The inputs?

$$\frac{1.25 + 0.75 + 2}{3} = \text{---} \quad \#$$

④ Subtractor ▶



$$V_o = \frac{R_f}{R} (V_1 - V_2)$$

$$V_o = \frac{R_f}{R} (V_2 - V_1)$$

16 Ex ▶ RTD PT100 in The Range  $(20^\circ\text{C} \sim 90^\circ\text{C})$ , using Wheatstone bridge, design circuit to which  $R_1 = 120$ ,  $R_2 = 135$ ,  $V_s = 12 \text{ V}$ , calculate The o/p voltage range from The bridge.







FROM

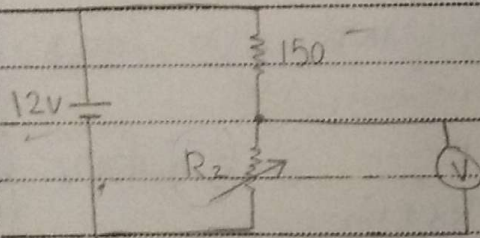
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EX ▶ using RTD-PT100 in The Range ( $20^{\circ}\text{C} \sim 90^{\circ}\text{C}$ )  
design circuit to set o/p Voltage range ( $0 \sim 4\text{V}$ )?

using Voltage divider with  $R_1 = 150\Omega$ ,  $V_s = 12\text{V}$

RTD range ( $107.81\Omega \sim 135.1\Omega$ )



@  $20^{\circ}\text{C}$

$$V_0 = 12 \times \frac{107.81}{107.81 + 150} = 5.018\text{V}$$

@  $90^{\circ}\text{C}$

$$V_0 = 12 \times \frac{135.1}{135.1 + 150} = 5.686\text{V}$$

o/p range ( $5.018\text{V} \sim 5.686\text{V}$ )

$$V_0 = V_i M + \text{offset}$$

$$4 = 5.686 M + \text{offset} \quad (1)$$

$$0 = 5.0178 M + \text{offset} \quad (2)$$

subtract (2) from (1) →

$$4 = 0.668 M \Rightarrow M = 5.98802$$

$$\text{offset} = 4 - (5.686 \times 5.98802) = -36.04$$

$$V_0 = V_i \cdot 5.982 - 30.04$$



1. voltage Divider  $V(V)$   $R_{(2)}$  sensor  $I(A)$  \*

2. bridge \*

op-Amp " " " "  $I(A)$  " " " "

5.982 ( $V_i - 5.021$ )

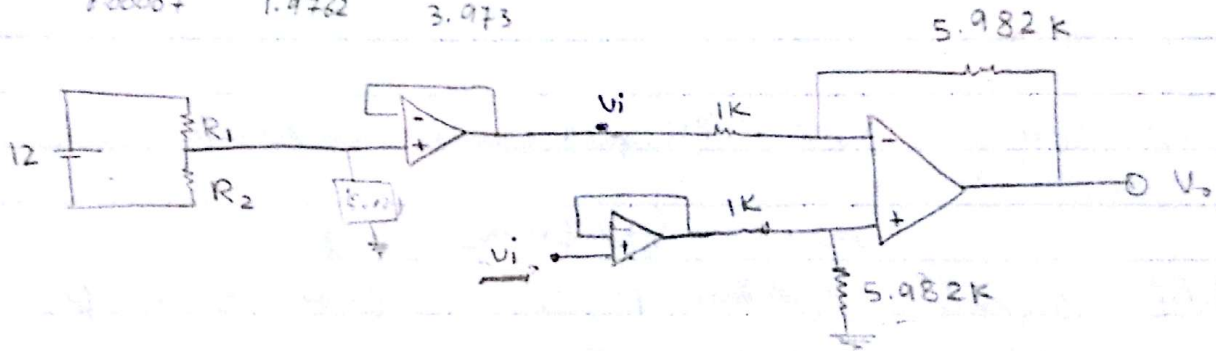
$V_i$	5.0178	5.3519	5.686
$V_o$	0	2	4

1.00007

1.9762

3.973

→



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18. Ex  $\Rightarrow$  pressure Sensor Sensitivity  $1.1 \text{ mA/bar}$   
in The Range (2~18 bar) & @ 0 bar =  $8.2 \text{ mA}$   
Design Signal Conditioning circuit for ADC  
which Voltage Reference (0~3V) ?  $R=100\Omega$

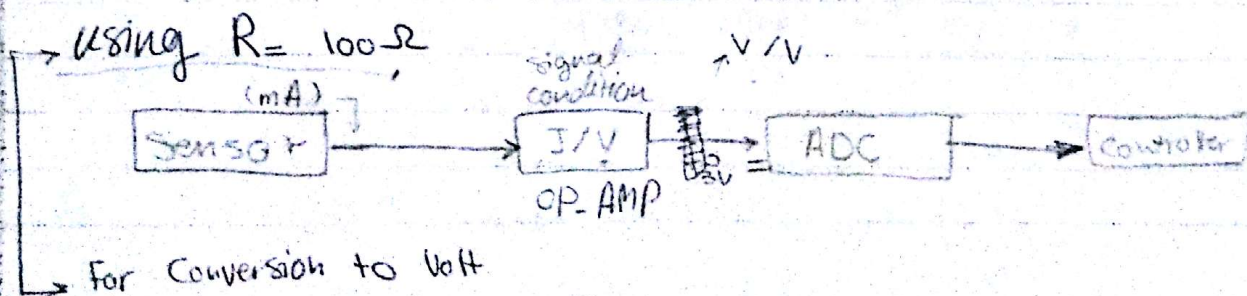
(2 ~ 18 bar)  $\rightarrow$  Pressure Range

$(8.2 + [1.1 \times 2] \sim 8.2 + [1.1 \times 18]) \rightarrow$  Sensor O/P Range

(10.4 mA ~ 28 mA)

$\therefore$  Job  $8.2 \text{ mA} \rightarrow 2 \text{ bar}$   $\text{Line @ } 2 \text{ bar} = 8.2 + 1.1 \times 2$  \*

[ $\frac{V}{V}$ ,  $\frac{mA}{bar}$ ]





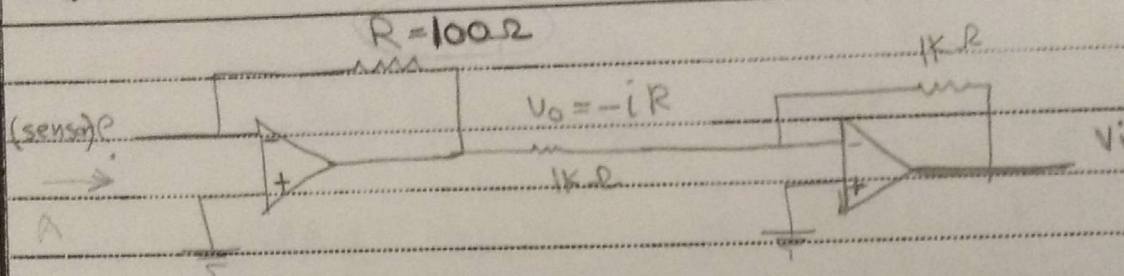
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o/p Voltage Range ( $10.4 \text{ mA} \times 100.2 \sim 28 \text{ mA} \times 100.2$ )  
( $1.04 \text{ V} \sim 2.8 \text{ V}$ )

Add signal condition to convert from V to V

$$V_o = V_i \cdot M + \text{offset}$$

$$3 = 2.8 M + \text{offset} \quad [1]$$

$$0 = 1.04 M + \text{offset} \quad [2]$$

$$3 = 1.76 M \quad [1-2]$$

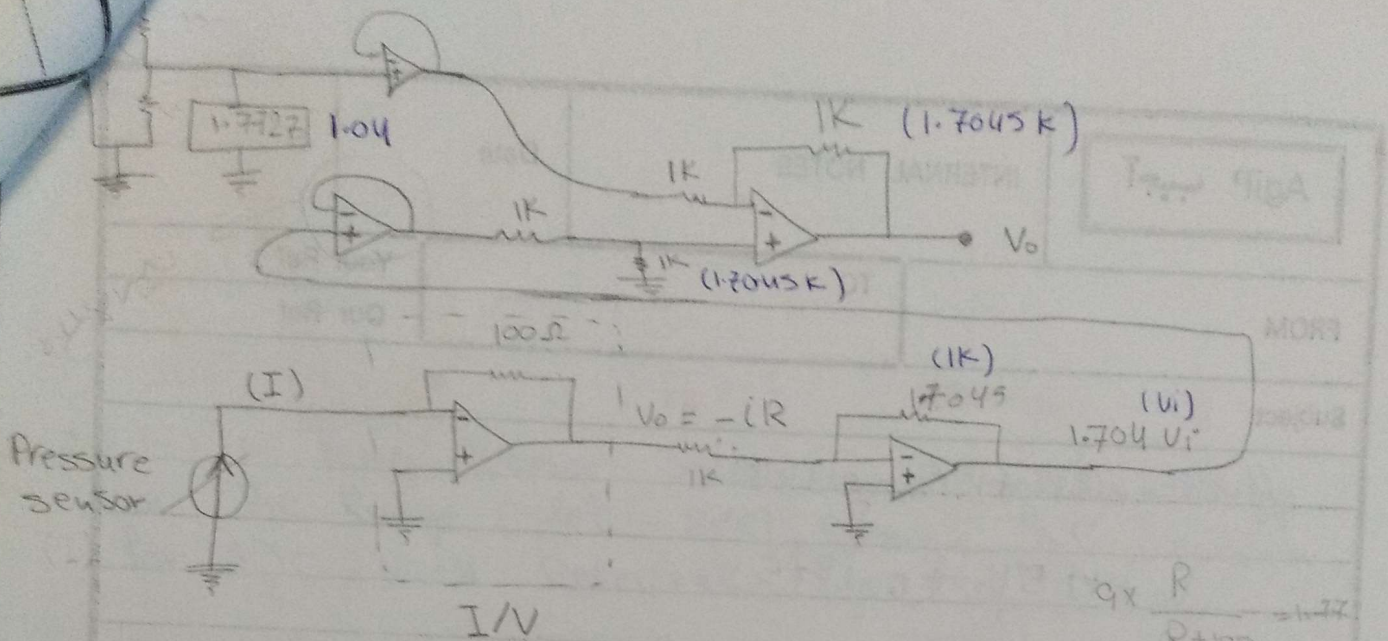
$$M = 1.7045$$

$$\text{offset} = -1.04 \times 1.7045 = -1.7727$$

$$V_o = V_i \cdot 1.7045 - 1.7727$$

$V_i$	1.04	1.92	2.8
$V_o$	-0.0002	1.4999	2.9999
	0	1.5	3





when you change eq. The <sup>number in</sup> fig change

$$eq \rightarrow [V_0 = 1.7045(V_i - 1.04)]$$

$$V_0 = 1.7045 V_i - 1.772$$

19 **EX** ▶ Pressure sensor Sensitivity  $12mV/bar$   
in The Range  $(0 \sim 20bar)$  & @  $0bar = -15mV$   
Design signal conditioning ckt for ADC which  
Voltage Reference  $(0 \sim 3V)$

Pressure Range  $(0 bar \sim 20bar)$

$$\text{sensor o/p Range } (-15mV + (0 \times 12 \frac{mV}{bar}) \sim -15mV + (20 \times 12))$$

$$(-15mV \sim 225mV)$$

no need for convert it is already Voltage o/p

$$V_0 = V_i M + \text{offset}$$

$$3 = 0.225 M + \text{offset} \quad (1)$$

$$0 = -0.015 M + \text{offset} \quad (2)$$

$$3 = 0.24 M \Rightarrow M = 12.5$$



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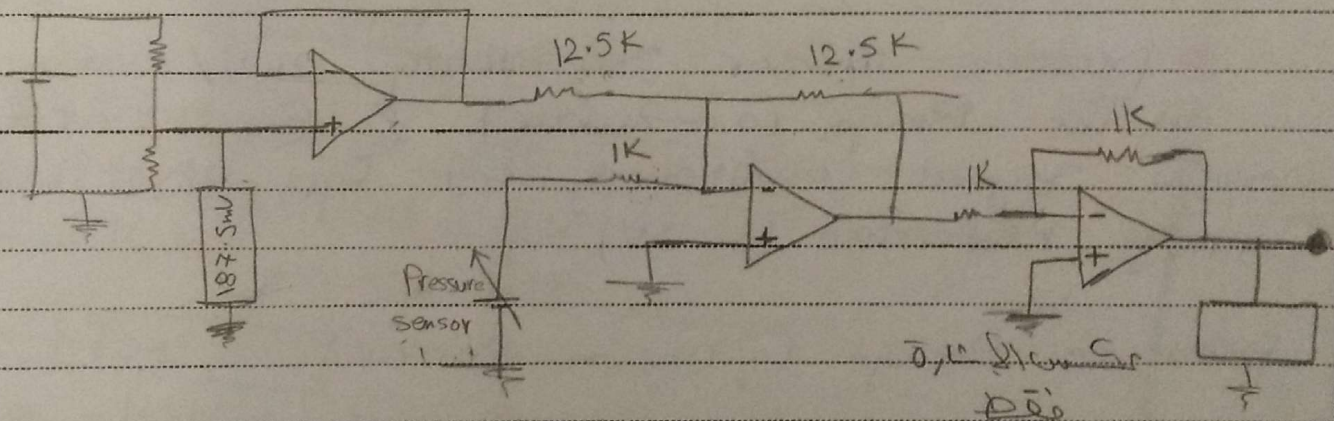
$$\text{off set} = 0.015 \times 12.5 = 0.1875 \text{ V}$$

$$V_o = 12.5 V_i + 0.1875$$

$V_i$	$-15 \text{ mV}$	$105 \text{ mV}$	$225 \text{ mV}$
$V_o$	0	1.5	3

100% accuracy

$$V_o = \frac{R_f}{R_i} (V_i)$$



- what is The Value of The pressure if The o/p Voltage is 1.2 V ? (8 bar)
- what is The o/p Voltage if The pressure is 7 bar ? (1.05 V)



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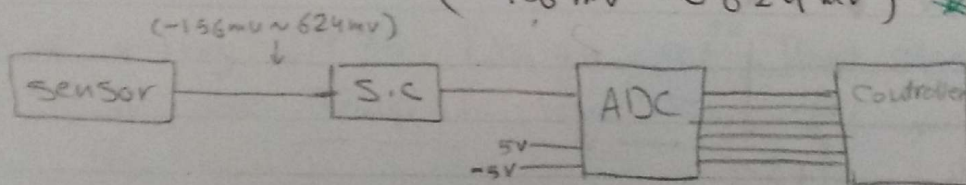
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20 EX ▶ Temp Sensor Sensitivity ( $7.8 \text{ mV}/^\circ\text{C}$ ) working in The Range ( $-20^\circ\text{C} \sim 80^\circ\text{C}$ ), Design S.C circuit for ADC with Reference range ( $\pm 5\text{V}$ ) Signal condition

Temp Range ( $-20^\circ\text{C} \sim 80^\circ\text{C}$ )

Sensor O/P range ( $-20 \times 7.8 \frac{\text{mV}}{^\circ\text{C}} \sim 80 \times 7.8 \frac{\text{mV}}{^\circ\text{C}}$ )

( $-156 \text{ mV} \sim 624 \text{ mV}$ ) \*



$$V_o = V_i M + \text{offset}$$

$$5 = 624 \times 10^{-3} M + \text{offset} \rightarrow \text{II}$$

$$-5 = -156 \times 10^{-3} M + \text{offset} \rightarrow \text{I}$$

$$10 = 0.78 M \rightarrow \text{I-2}$$

$$M = 12.8205 \#$$

$$\text{offset} = 5 - 624 \times 10^{-3} \times 12.8205$$

$$\text{offset} = -3 \#$$

$$V_o = V_i \times 12.8205 - 3 \#$$

$V_i$	-0.156	0.234	0.624
$V_o$	-4.999998	$-3 \times 10^{-6}$	4.999992
	-5	0	5

→ "التحقق ضروري"



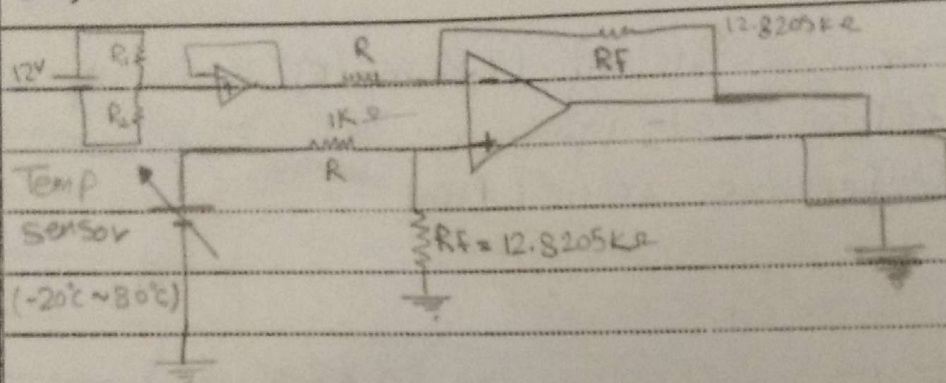
FROM

TO

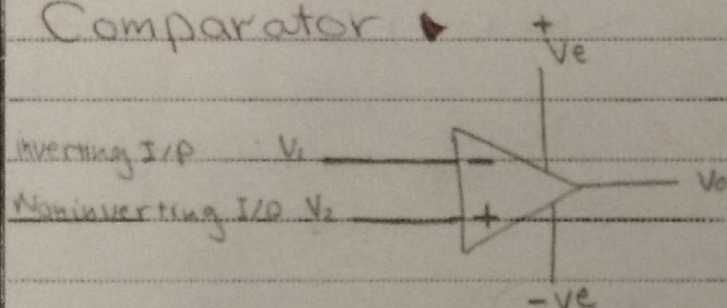
Your Ref

Our Ref

Subject



Comparator



$$V_1 > V_2 \Rightarrow V_0 = -V_e$$

$$[V_2 > V_1 \Rightarrow V_0 = +V_e]$$

2) EX ▶ using LM35 Design Circuit that operate Fan if The Temp is more than  $40^\circ\text{C}$ .

$$\text{Temp Sensor o/p @ } 40^\circ\text{C} = 40^\circ\text{C} \times \frac{10\text{mV}}{1^\circ\text{C}} = 400\text{mV} \approx 0.4\text{V}$$

$$T > 40^\circ\text{C}$$







FROM

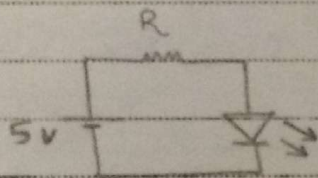
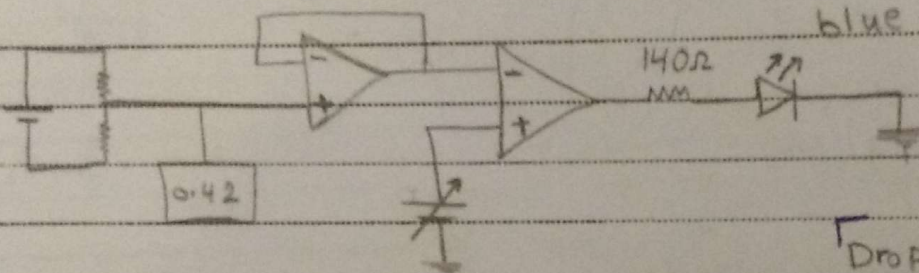
TO

Your Ref

Our Ref

Subject

Temp sensor o/p @  $18^{\circ}\text{C} = 18^{\circ}\text{C} \times 10\text{mV}/^{\circ}\text{C} = 180\text{mV}$   
 " " " "  $42^{\circ}\text{C} = 42^{\circ}\text{C} \times 10\text{mV}/^{\circ}\text{C} = 420\text{mV}$



$20\text{mA} = \text{Max} \rightarrow$  أقصى تيار الإضاءة

Drop on led =  
 Red = 1.8 V  
 blue = 3.6 V  
 Green = 2.1 V

$$R_{\text{Red-LED}} = \frac{5 - 1.8}{10\text{mA}} = 320\Omega \sim 330\Omega \#$$

$$R_{\text{blue-LED}} = \frac{5 - 3.6}{10\text{mA}} = 140\Omega \#$$

2019/12/15

EE463

(9)

24

EXP

LM35, sensitivity =  $10\text{mV}/^{\circ}\text{C}$

blue led if Temp is more Than  $42^{\circ}$

Red " " " " less "  $18^{\circ}$

Green " is between.

So, we using NOR Gate if The blue & Red off Green Turn ON.

pull up High untill you give it Zero  $\rightarrow$  NOR

" Down " " " "  $\rightarrow$  OR

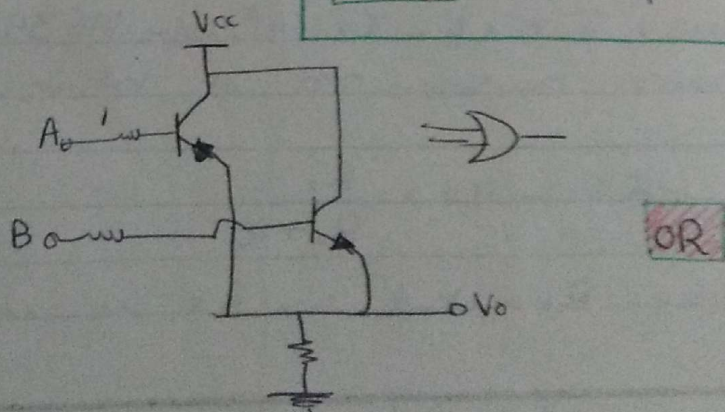
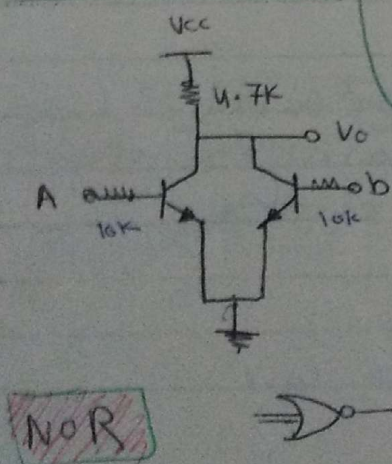
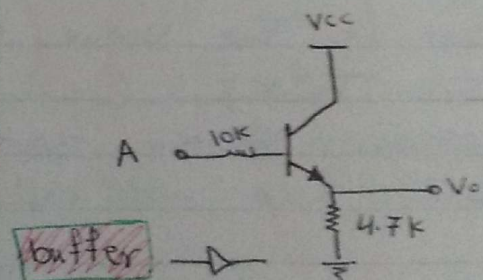
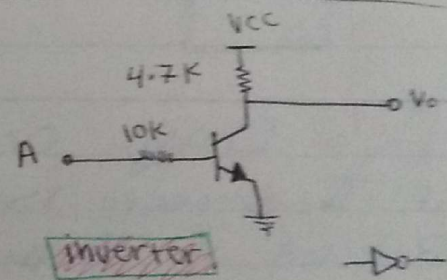
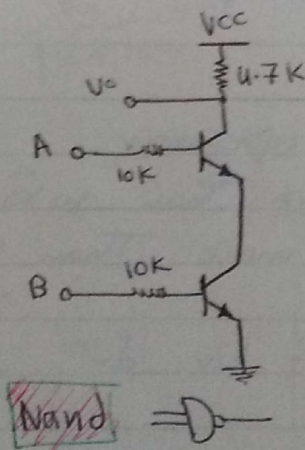
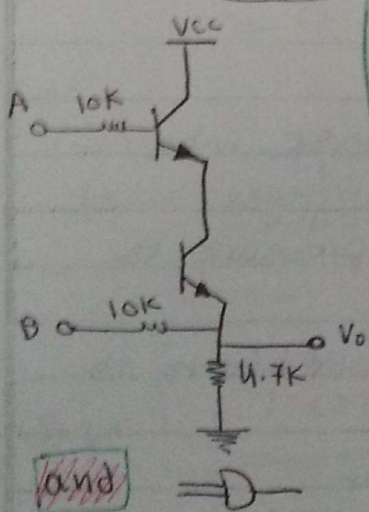
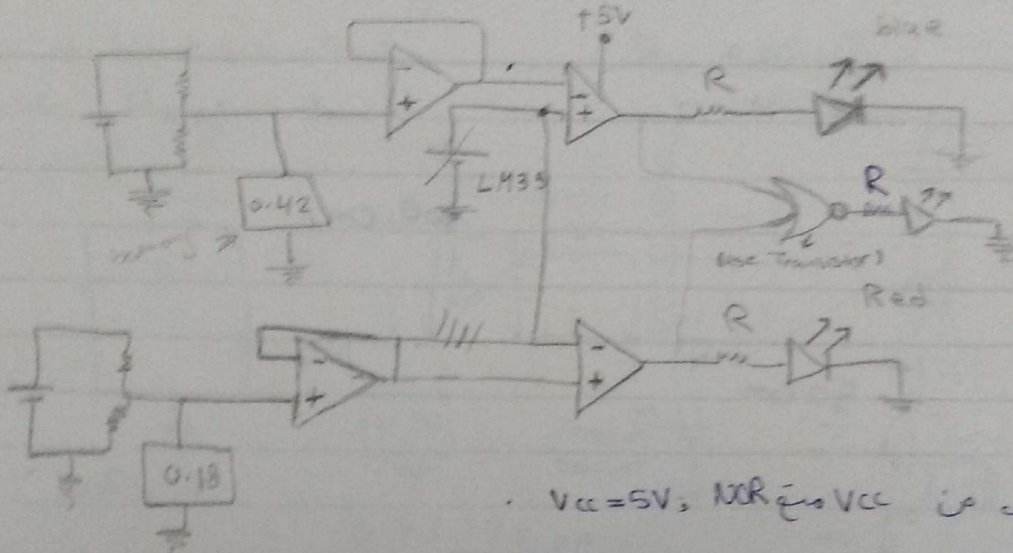


NOR  $A \oplus B \Rightarrow \neg(A \wedge B)$

A	B	$F = A \oplus B$
0	0	0
0	1	1
1	0	1
1	1	0

Topic: 90A

Example 9 of 90A





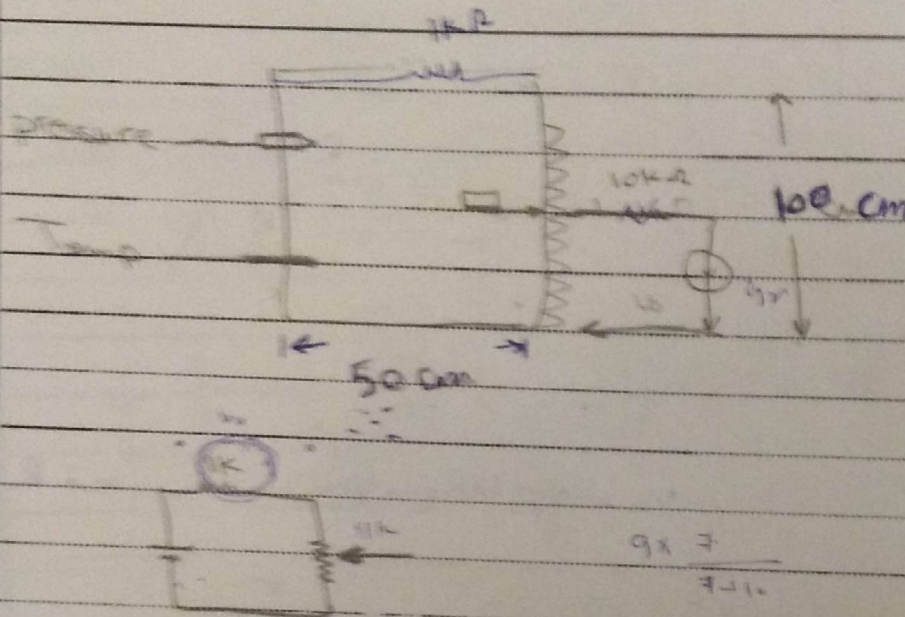
FROM

TO

Your Ref

Our Ref

Subject



$$\frac{9 \times 7}{7+10}$$

$$V_s = 9V$$

- 25
- EX → Design Circuit operator Release Value
- if The pressure is more Than 10 bar (Release Value)
- Red led if Temp is more Than 50/pressure is less Than 2 bar. <sup>Relative</sup> OR
- what is The Value of  $V_o$  if is 15L (it is in The Tank)
- \* pressure sensor Sensitivity = 20mV/bar
  - \* Temp " is LM35.

Volume =  $\pi r^2 \times h = \pi \times (25)^2 \times 100 = 196350 \text{ cm}^3 = 196.35 \text{ L}$  \*

Pressure sensor O/A at 10 bar → 10 bar  $\times$  20 mV/bar = 200 mV \*

$$V_D = 0.2 \text{ V} = 9 \text{ V} \times \frac{R_2}{R_2 + R_1}$$

Assume  $R_1 = 1 \text{ k}\Omega$  → k.e less current cost

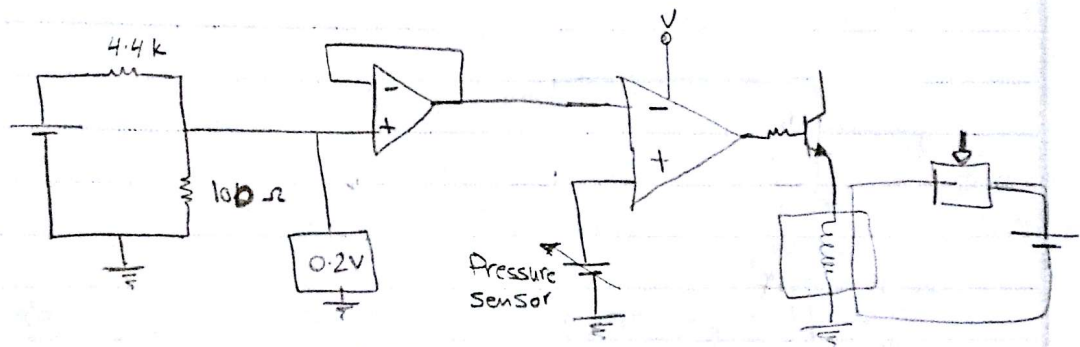


Potential is 0V  $\rightarrow$  2K when 20cm High  
 $R_2 + R_1 = 11K \Omega$

$$0.2 R_2 + (1K \times 0.2) = 9V R_2$$

$$R_1 = 4.4K \quad R_2 = 100\Omega$$

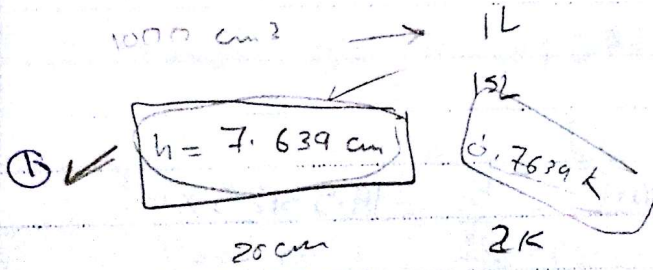
$$\rightarrow R_2 = 22.7\Omega \neq X$$



$$V_0 = 9V \times \frac{0.7639}{1K + 10K}$$

$$\pi r^2 \times h = 15000 \text{ cm}^3$$

$$= 26.81 \text{ cm}$$



$$\frac{196.35}{10000}$$

$$V_0 = \frac{9 \times 7.639}{11K}$$

$H > 80 \text{ cm}$  Led  $\rightarrow$  ON

$$V_0 = 0.625 \neq$$

$$763.9\Omega$$



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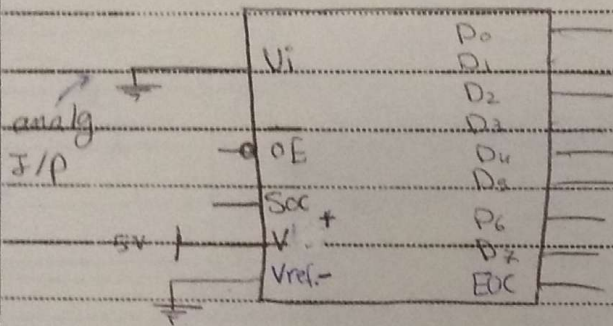
Your Ref

Our Ref

10

Subject

Analog to Digital Converter (ADC)



Unipolar (0~5V) / (-5~0V)

Bipolar ( $\pm 5V$ ), ( $\pm 3V$ )

OE  $\blacktriangleright$  output Enable

Soc  $\blacktriangleright$  Start of Conversion

D0~D7  $\blacktriangleright$  Digital o/p

EOC  $\blacktriangleright$  End of Conversion

$$\text{Resolution } (\Delta V) = \frac{V_{\text{ref}}^+ - V_{\text{ref}}^-}{2^n} = \frac{5}{2^8} = 19.53125 \times 10^{-3}$$

Digital o/p - analog I/P  
 $\Delta V$

26 EX  $\blacktriangleright$  What is The digital o/p, if The I/P is 1.85V ?



$$\text{Digital O/P} = \frac{1.85}{19.53125 \times 10^{-3}} = 94.72 \approx 95$$

128	64	32	16	8	4	2	1
0	1	0	1	1	1	1	0

27 **EX** ▶ what's The analog I/P, if Digital O/P <sup>128 64 32 16 8 4 2 1</sup> 01011000

$$\begin{aligned} \text{analog I/P} &= \text{Digital O/P} \times \Delta V \\ &= 88 \times 19.53125 \text{ mV} \\ &= 1.71875 \text{ V} \end{aligned}$$

28 **EX** ▶ Using LM35D in The Range (20~115°C) design S.C. CCT for (0~4 V) Voltage Reference ADC:

- a] what is The digital O/P if The Temp (37°C, 107°C)  
b] what is Temp if The digital O/P is (01010101)?

$$\begin{aligned} \text{Sensor O/P Range} &= (20 \times 10 \frac{\text{mV}}{^\circ\text{C}} \sim 115 \times 10 \frac{\text{mV}}{^\circ\text{C}}) \\ &= (0.2 \text{ V} \sim 1.15 \text{ V}) \end{aligned}$$

$$V_o = m V_{in} + \text{offset}$$

$$0 = m \cdot 0.2 + \text{offset} \quad \text{①}$$

$$4 = m \cdot 1.15 + \text{offset} \quad \text{②}$$

$$\text{②} - \text{①} \quad 4 = m \cdot 0.95$$

$$m = 4.21052$$

$$\text{offset} = -0.8421$$

$$V_o = 4.21052 V_i - 0.8421$$



FROM

TO

Your Ref

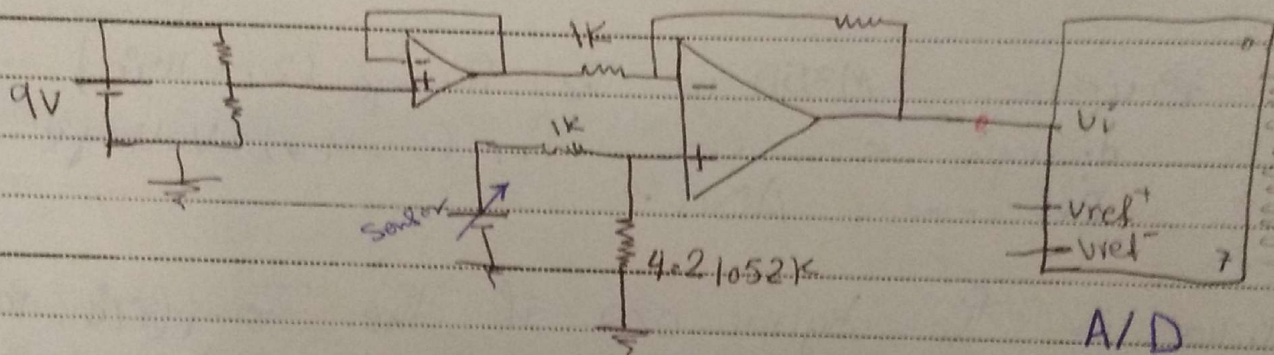
Our Ref

Subject

$V_i$	0.2	0.675	1.15
$V_o$	4 mV	2.60005	3.99999
	0	2	4

$$V_o = 4.21052 (V_i - 0.2) \quad \checkmark$$

4.21052 K



$$\Delta V = \frac{4V}{256} = 0.015625 V$$

$$\text{Digital o/p} = \frac{\text{analog IP}}{\Delta V} = \frac{23.682224}{0.015625}$$

@ 37°C

$$\text{Sensor o/p} = 37^\circ\text{C} \times 10 = 370 \text{ mV} \quad \checkmark$$

$$V_o = 4.21052 (0.37 - 0.2) = 0.7158 V$$

$$\text{Digital o/p} = \frac{0.7158}{0.015625} = 45.8107 \approx 45$$



$$\begin{array}{ccccccc} 128 & 64 & 32 & 16 & 8 & 4 & 2 & 1 \\ (0 & 0 & 1 & 0 & 1 & 1 & 0 & 1)_2 \end{array} \quad \#$$

@  $107^\circ\text{C}$

$$\text{Sensor O/P} = 107^\circ\text{C} \times 10\text{mV} = 1.07\text{V}$$

$$V_o = 4.2105 (1.07) - 0.8421 = 3.663135\text{V}$$

$$\text{D.O} = \frac{3.663135}{0.015625} = 234.44 \approx 234$$

$$\begin{array}{ccccccc} 128 & 64 & 32 & 16 & 8 & 4 & 2 & 1 \\ (1 & 1 & 1 & 0 & 1 & 0 & 1 & 0)_2 \end{array} \quad \#$$

$$(01010101)_2 = (85)_{10}$$

b

$$\text{analog I/P} = 1.328125$$

$$1.328125 = 4.2105 V_i - 0.8421$$

$$V_i = 0.51543\text{V}$$

$$T = 0.51543 / 10\text{mV}$$

$$51.54^\circ\text{C}$$



FROM 23/12/2019

TO EE463

Your Ref 11  
Our Ref

Subject <sup>29</sup> EX

using Accelerometer which Sensitivity  $10.13 \text{ mA/g}$   
at  $0g = 1.9 \text{ mA}$  in The Range  $(\pm 15g)$  design Signal  
Condition cct for  $\pm 3V$  Voltage reference  $R = 200 \Omega$ .

for digital o/p (unipolar) =  $\frac{\text{analog I/P}}{\Delta V}$

$$\Delta V = \frac{V_{ref}^+ - V_{ref}^-}{2^n} = 0.02344$$

Shift register 8 bit

input

output

$$1111 \ 1111 \rightarrow 255 \quad 2^8 = 256$$

-3

0000 0000

EX: analog I/P = 1.5 V

$$-3 + \Delta V = -2.9766$$

0000 0001

$$\frac{1.5 + 3}{23.43 \times 10^{-2}} = 102$$

$$-3 + 2\Delta V = -2.9331$$

0000 0010

$$23.43 \times 10^{-2}$$

$$\text{analog i/p} = 0 \rightarrow 256/2 = 128$$

Digital o/p (bipolar) =  $\frac{\text{analog I/P} + V_{ref}}{\Delta V}$

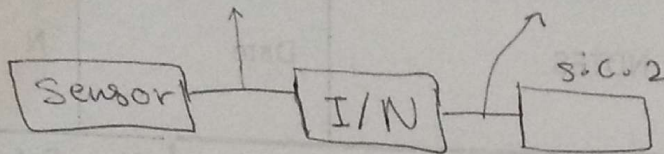
- a). what is The digital o/p if the i/p is  $-3.8g$  (95) ✓  
b). what is The acceleration if the digital o/p  
(1001 0010).  $\rightarrow (146)_{10}$  (2.078 g) ✓

$$\frac{\text{analog} + V_{ref}^+}{\Delta V} = 146$$

$$\text{analog} + V_{ref}^+ = 3.421 \quad \text{analog} = 0.421$$



$$0.55 \text{ mA} \sim 3.35 \text{ mA} / -0.11 \text{ V} \sim 0.67 \text{ V}$$



$$V_i = 0.3347$$

$$I_i = 1.6736 \text{ mA}$$

$$\theta = 0.012789$$

Range (15g ~ -15g)

Range O/P Sensor (-0.55 ~ 3.35 mA)

O/P Voltage (-0.11 V ~ 0.67 V)

$$V_o = M V_i + \text{offset}$$

$$3 = 0.67 M + \text{offset}$$

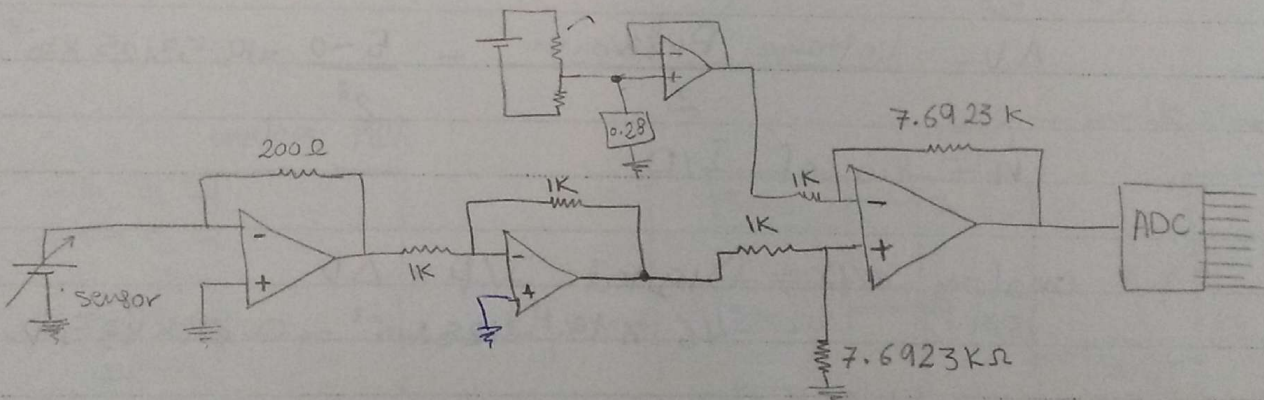
$$-3 = -0.11 M + \text{offset}$$

$$M = 7.6923, \text{offset} = -2.1538$$

$$V_o = 7.6923 V_{in} - 2.1538$$

$V_i$	-0.11	0.28	0.67V
$V_o$	2.999	$4.4 \times 10^{-5}$	3.00004

$$V_o = 7.6923 (V_{in} - 0.27999)$$



$$\Delta V = 0.023437$$

$$\text{Digital O/P} = \frac{\text{analog} + V_{ref}}{\Delta V}$$

(a)  $-3.8 \rightarrow 0.494 \text{ mA} \xrightarrow{11.4} 0.494 \times 200 \sim -98.8 \text{ mV} =$

$$-0.0988 \text{ V} \xrightarrow{0.1812} V_o = 7.6923 \times (-0.0988) - 2.1538$$

$$V_o = -2.913794 - 0.76149, \text{Digital O/P} = 3.67798$$

$$95.5116$$

$$0000 \ 0100$$

$$1011 \ 1111$$



FROM 26 /12/2019

TO EE462

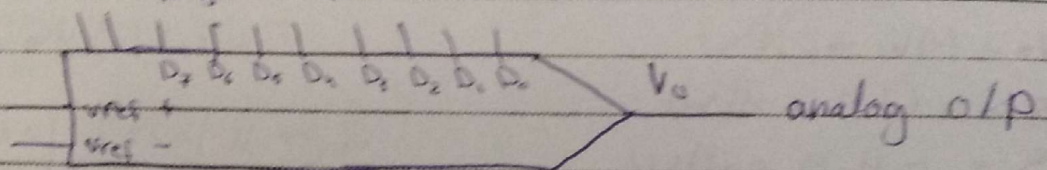
Your Ref

Our Ref 12

Subject

## Digital to analog Converter

Digital I/P



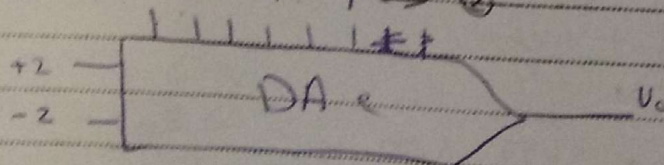
EX: what is the value of analog o/p if the digital I/P is  $(101110)_2$  & the voltage Reference is between  $(0 \sim 5)V$ ?

$$\Delta V = \frac{\text{Voltage Reference}}{2^n} = \frac{5-0}{2^8} = 19.53125 \times 10^{-3}$$

$n = \text{no. of I/P}$

$$\begin{aligned} \text{EX: analog o/p} &= \text{Digital I/P} \times \Delta V \\ &= 46 \times 19.53125 \times 10^{-3} = 0.8984375 V \end{aligned}$$

EX:  $011011 \rightarrow ①$   
 $110101 \rightarrow ②$



$$\Delta V = \frac{4}{2^6} = 0.0625 V$$

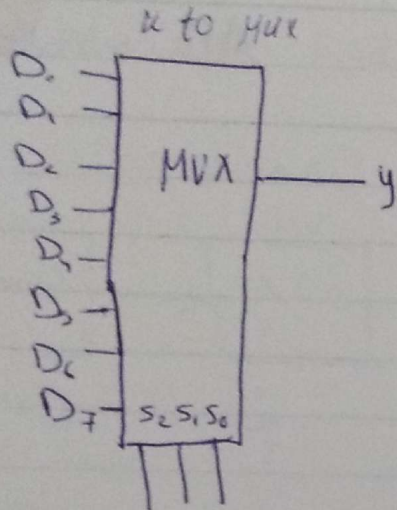
$$① = (27 \times 0.0625) - 2 = -0.3125 V$$

$$② = (53 \times 0.0625) - 2 = 1.3125 V$$

Digital I/P  $\times \Delta V$  -  $V_{ref}^+$  = analog o/p



# Data Selector



0 1 2 3 4 5 6 7  
1 0 1 1 0 1 0 0

$S_2 S_1 S_0$   
1 1 0

$$y = D_6$$

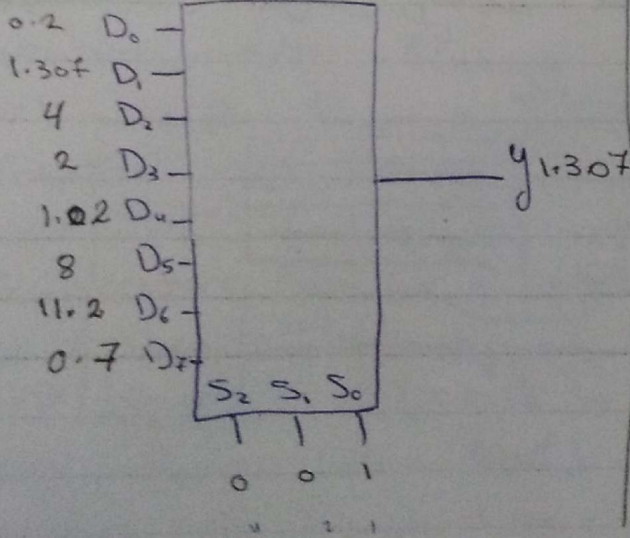
CMOS

0  $\triangleq$  Ground  
( )  
5  $\triangleq$  1  
( )

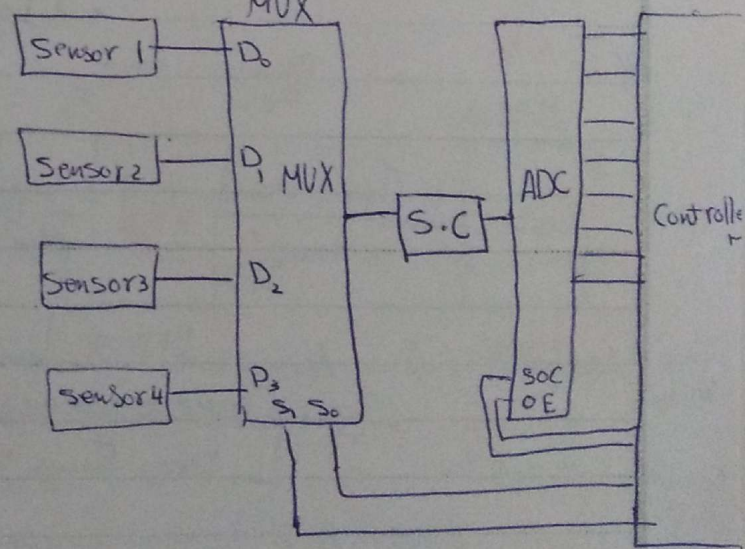
TTL

5V  $\triangleq$  1  
(2 ~ 5.5)  
0  $\triangleq$  Ground  
(0 ~ 0.8)

analog MUX



analog MUX  $\rightarrow$  sensor data is fed into





FROM

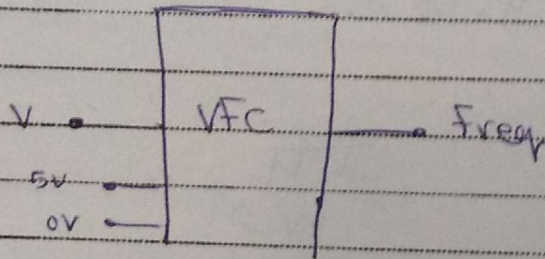
TO

Your Ref

Our Ref

Subject

Voltage to Freq Converter: (VFC) AD method (2)



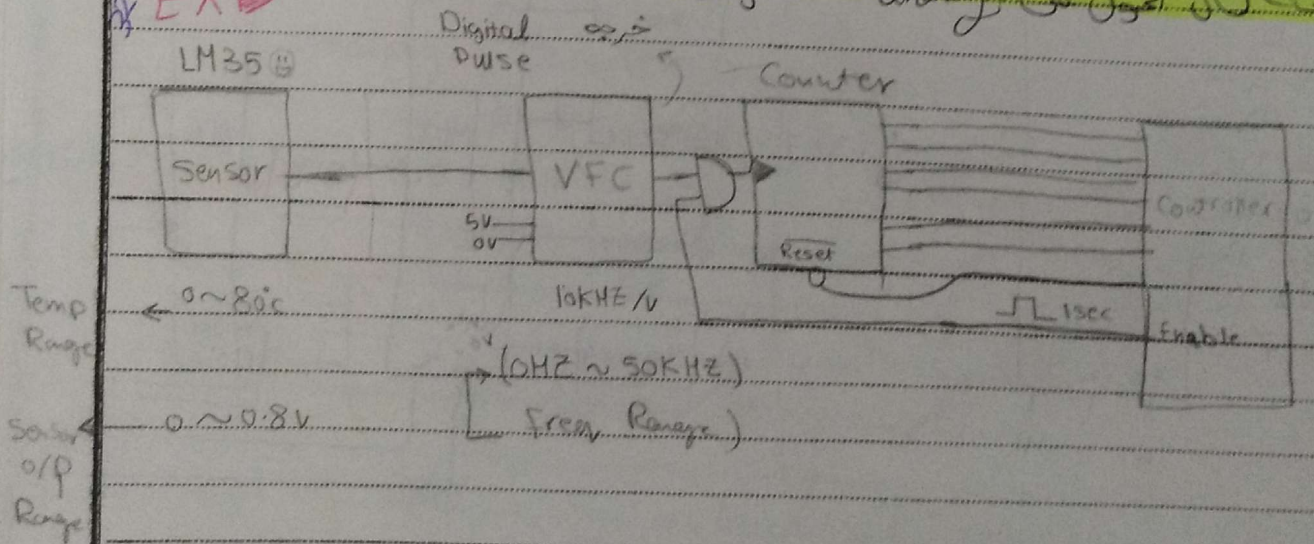
$[10 \text{ KHz/V}] \rightarrow \text{Rate}$

$(0\text{V} \sim 5\text{V}) \rightarrow \text{Voltage Range}$

$(0\text{Hz} \sim 50\text{KHz}) \rightarrow \text{Freq Range}$

Digital / analog

EX ▶



(a)  $20^{\circ}\text{C} \Rightarrow 0.2\text{V} \left\{ 0.2\text{V} \times \frac{10\text{KHz}}{\text{V}} = 2\text{KHz} \right\}$



@47°C  
10mV/°C

5KHz/V

duration (0.2s)

What's o/p  
of Controller

@47°C → 0.47V

$$0.47 \times \frac{5\text{KHz}}{\text{V}} = 2.35\text{KHz}$$

$$0.2 \times 2350 = 470 \text{ Pulse}$$

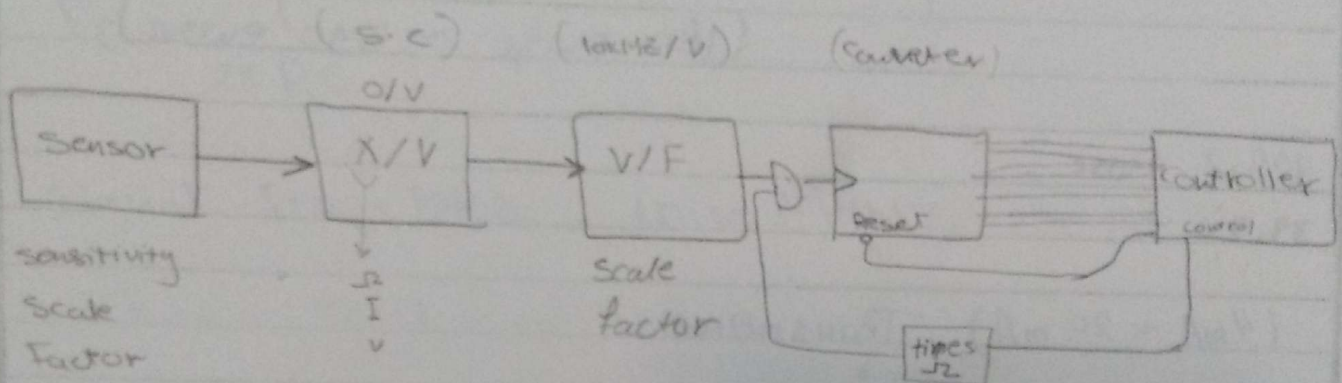
Exam Q

33 EX ↑

20/1/2019

EE463

(13)



34 EX ▶ using LM35 for the Range (30° ~ 90°) and using (V/F) which scale factor (3KHz/V) calculate :

- sensor o/p Range  
V/F o/p Range  
Counter o/p Range (using 0.2s duration)
- what is the digital o/p of the Counter if the Temperature is 68.2 °C
- what is the value of Temperature if f.v digital o/p (counter) is  $(0010101101)_2 \equiv (237)_{10}$ .

temp Range (30 ~ 90°C)

sensor o/p Range  $(30 \times 10 \frac{\text{mV}}{^\circ\text{C}}) \sim (90 \times 10 \frac{\text{mV}}{^\circ\text{C}})$

(0.3V ~ 0.9V)

V/F o/p Range  $(0.3V \times \frac{3\text{KHz}}{\text{V}} \sim 0.9V \times \frac{3\text{KHz}}{\text{V}})$

(0.9KHz ~ 2.7KHz)



FROM

TO

I wish I can sleep

Your Ref

Our Ref

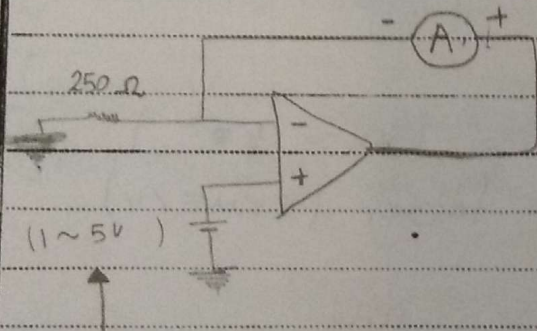
Subject

Counter o/p Range (0.9 KHz  $\times 0.2$  s  $\sim 2.7$  KHz  $\times 0.2$  s)  
(180 pulse  $\sim 540$  pulse)

(b) 409.2 Pulse

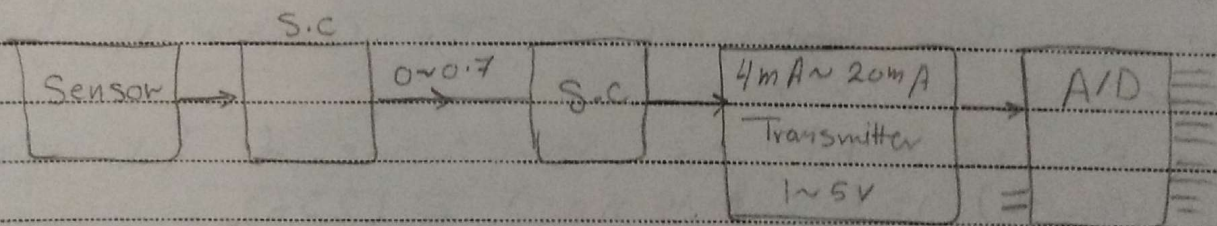
(c)  $39.5^{\circ}\text{C}$


(4 mA ~ 20 mA) Transmitter :

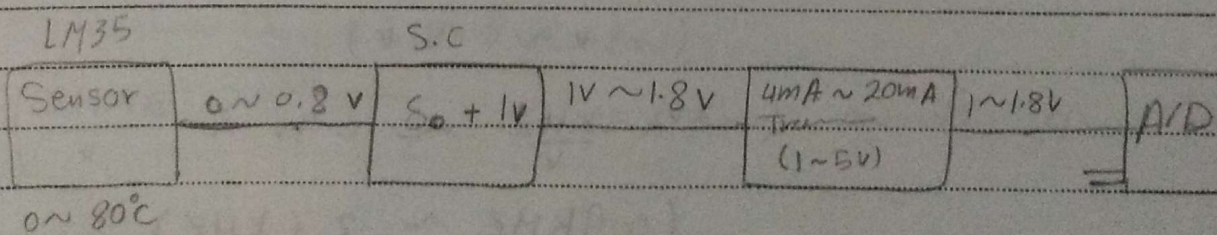


current & Data

(O/P of Sensor)

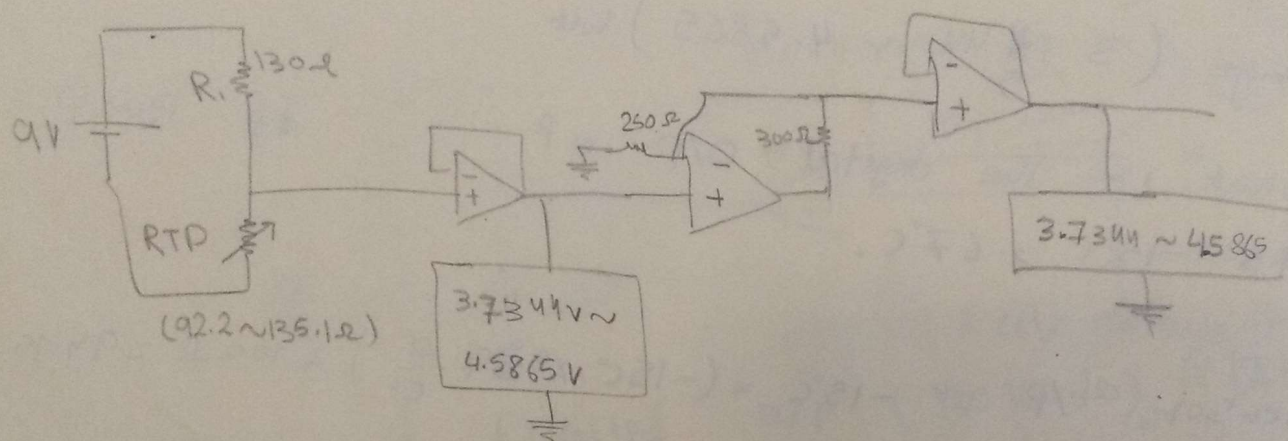


35 EX 





Ex: using RTD PT100 for Temp Range  $(-20^{\circ} \sim 90^{\circ})$   
 in Voltage Divider with  $R_1 = 130 \Omega$  design Circuit  
 to get The Temperature information for  
 long distance to ADC with Voltage Reference  $(\pm 2)$   
 volt



Solution: Temp Range  $(-20^{\circ} \sim 90^{\circ})$

$$\text{Sensor O/P } \left[ 100 + \left( 0.39 \times \frac{2}{1^{\circ}} \times (-20^{\circ}) \right) \right] \sim \left[ 100 + (0.39 \times 90) \right]$$

$$(92.2 \Omega \sim 135.1 \Omega)$$

Voltage divider O/P Range

$$\text{at } -20^{\circ} \rightarrow V_0 = 9 \times \frac{92.2}{92.2 + 130} = 3.7544 \text{ Volt}$$

$$\text{at } -90^{\circ} \rightarrow V_0 = 9 \times \frac{135.1}{135.1 + 130} = 4.5865 \text{ Volt}$$

$$\begin{array}{rcl} -2 & = & 3.7544 \text{ M} + \text{offset} \\ +2 & = & 4.5865 \text{ M} + \text{offset} \\ \hline 4 & = & \text{M} \end{array}$$

$$\text{M} = 4.6943$$

(1)



$$\text{off set} = -19.5308$$

$$V_o = 4.6943 V_i - 19.5308$$

$$V_o = 4.6943 (V_i - 4.16055)$$

$V_i$	3.7344	4.1605	4.5865
$V_o$	-2.009	0	1.99994

Range (3.7344 ~ 4.5865) Volt

① what is The digital o/p of if Temp is  $-15^\circ\text{C}$ ,  $67^\circ\text{C}$ .

Solution (A):

$$\text{Sensor o/p at } -15^\circ\text{C} = (-15^\circ\text{C} \times 0.39 \frac{\Omega}{^\circ\text{C}}) + 100\Omega = 94.15\Omega$$

$$\text{Voltage Divider o/p} = 9 \times \frac{94.15\Omega}{130 + 94.15} = 3.78022 \text{ V}$$

$$\text{Transmitter o/p} = 3.78022 \text{ (because in The Range)}$$

$$\text{S.C o/p} = (3.78028 - 4.16055) 4.6943 = -1.78509 \text{ V}$$

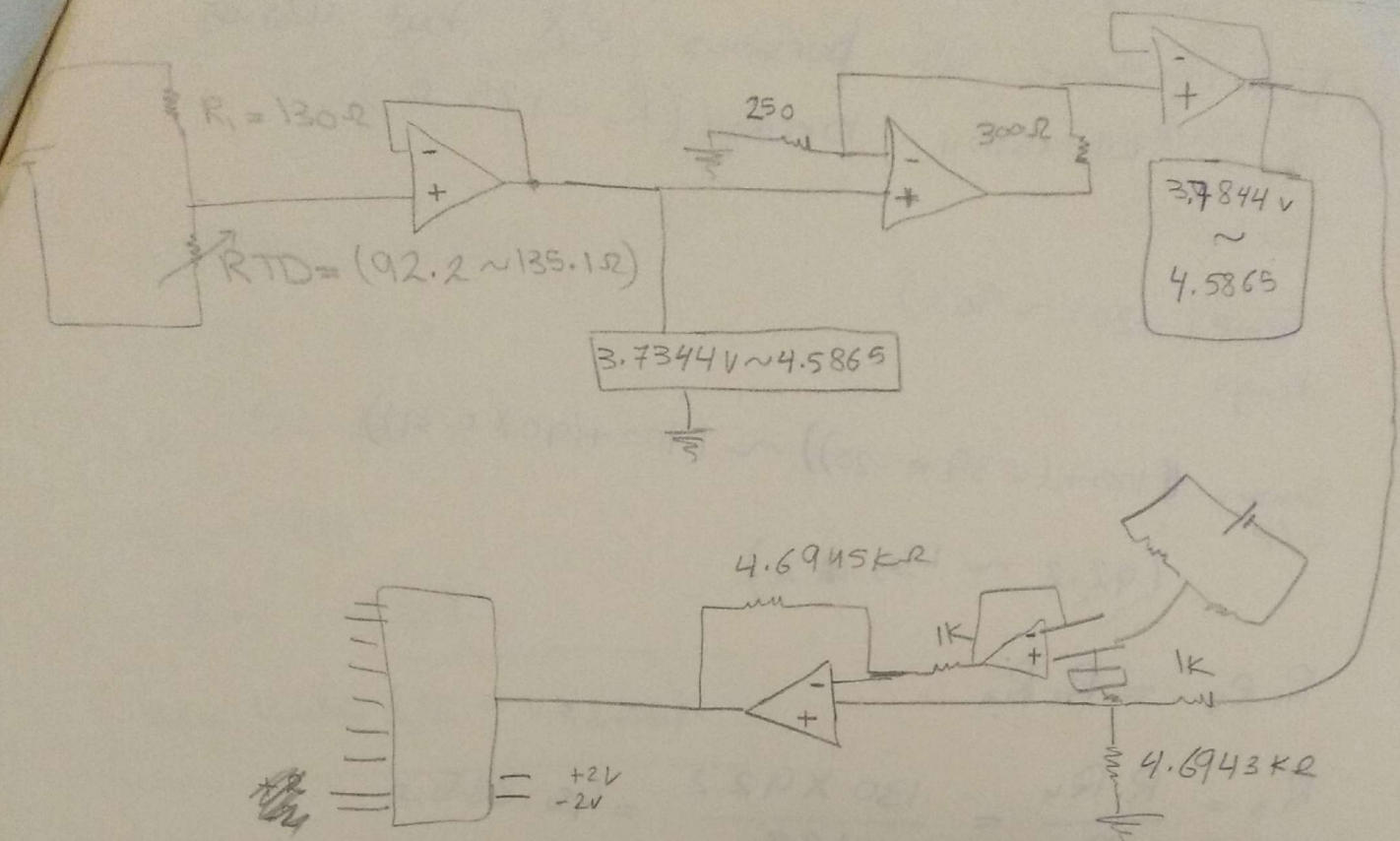
$$\Delta V = \frac{2 - (-2)}{2^8} = 0.015625 \text{ V}$$

$$\text{Digital o/p} = \frac{\text{Analog i/p} + V_{\text{out}}}{\Delta V}$$

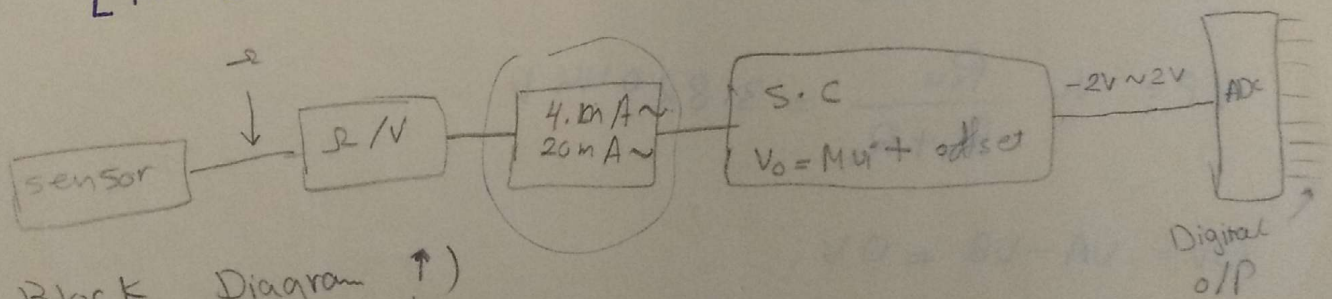
$$= \frac{-1.78509 + 2}{0.015625}$$

$$= 13.75 \simeq 13 \rightarrow (00001101)_2$$





(B) Temp if Digital o/p  $(11011010)_2 \triangleq (218)_{10}$   
 $[71.09^\circ\text{C}]$  ✓



(Block Diagram ↑)  
 ↓  
 سہجہ کی شکل میں  
 (B) مطلوب ہے



\* EX: Same as previous ex but using  
Wheatstone Bridge ( $R_2 = 125 \Omega$ )

Solution:

Temp ( $-20^\circ \sim 90^\circ \text{C}$ )  
Range

Sensor o/p  $((100 + (0.39 \times -20)) \sim (100 + (90 \times 0.39)))$   
( $92.2 \sim 135.1 \Omega$ )

$$R_1 R_4 = R_2 R_3$$

$$R_3 = \frac{R_1 R_4}{R_2} = \frac{130 \times 92.2}{125} = 95.888 \Omega$$

@  $-20^\circ \text{C}$

$$V_B = V_s \frac{R_3}{R_1 + R_3} = 3.82044 \text{ V}$$

$$V_P = V_s \frac{R_4}{R_4 + R_2} = 3.82044 \text{ V}$$

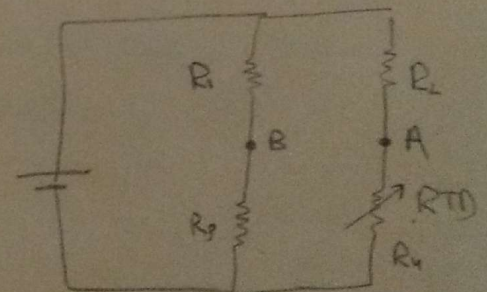
$$\Delta V = V_A - V_B = 0 \text{ V}$$

@  $90^\circ \text{C}$

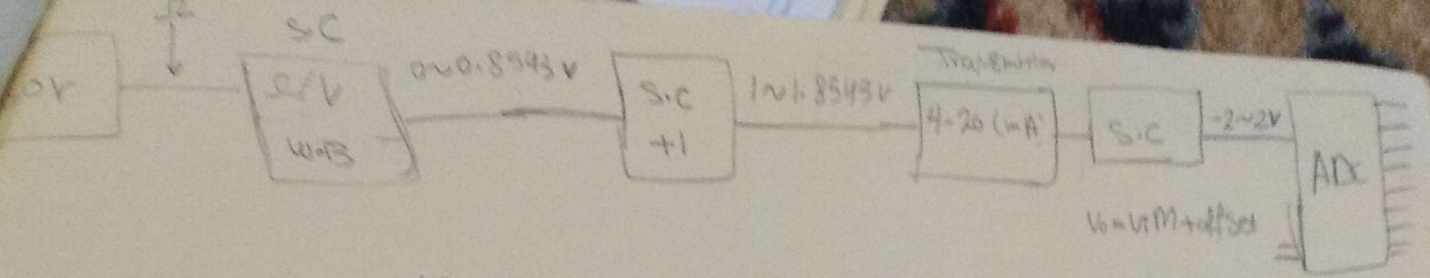
$$V_D = 9 \times \frac{135.1}{135.1 + 130} = 4.6747 \text{ V}$$

$$\Delta V = 0.8543 \text{ V}$$

bridge Range ( $0 \sim 0.8543 \text{ V}$ )







$$2 = 1.8543 M + \text{offset}$$

$$-2 = 1 M + \text{offset}$$

---


$$4 = 0.8543 M$$

$$M = 4.6821$$

$$\text{offset} = -6.682$$

$$V_o = 4.6821 (V_i - 1.42716)$$

20.02.2015 Control System wheastone 25/1



lect in yellow paper

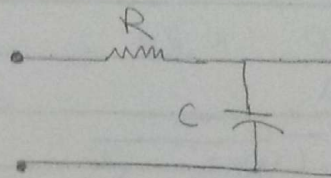
27/1/2019

lect (15)

## Filters:

- low pass filter:

$$f_c = \frac{1}{2\pi RC}$$



- Signal freq: 1KHz, Noise: 1MHz ?

$$f_c = 2\text{KHz} \text{ or } 5\text{KHz} !!$$

$$* V_o / V_i = \frac{1}{\sqrt{1 + \left(\frac{f_N}{f_c}\right)^2}} !!$$

$t_s$

- 38 EX: The signal  $t_N$  freq is 1KHz & undesired noise signal 1MHz. Design filter that attenuate the noise to 1%, and what is the effect of the filter on the desired signal?
- Solution:

$$\frac{V_o}{V_i} = \frac{1}{\sqrt{1 + \left(\frac{f_N}{f_c}\right)^2}}$$

$$0.01 = \frac{1}{\sqrt{1 + \left(\frac{10^6}{f_c}\right)^2}} \Rightarrow f_c = 10000.5 \text{ Hz}$$

The effect on the signal:  $\frac{V_i}{V_o} = \frac{1}{\sqrt{1 + \left(\frac{f_s}{f_c}\right)^2}}$



FROM

TO

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Subject

$$\frac{V_o}{V_i} = \frac{1}{\sqrt{1 + \left(\frac{1 \text{ kHz}}{10.5 \text{ MHz}}\right)^2}} = 0.99503 \Rightarrow 99.503\%$$

99.503 %  
from the signal.

let  $C = 0.1 \mu\text{F}$

$$R = \frac{1}{2\pi \times 10000.5 \times 0.1 \times 10^{-6}} = 159.156 \Omega$$

$$[160 \Omega]$$

★ 5% = 8%

1.0	1.1	1.2	1.3	1.4	1.5	1.6	1.8	2	2.2
2.4	2.7	3.0	3.3	3.6	4.3	4.7	5.1	5.6	6.2
6.8	7.5	8.2	9.1						

when  $R = 160 \Omega$

$$f_c = \frac{1}{2\pi \times 160 \times 0.1 \times 10^{-6}} = 99.47 \text{ MHz}$$

$$\frac{V_o}{V_i} = \frac{1}{\sqrt{1 + \left(\frac{1000}{99.47 \text{ MHz}}\right)^2}} = 0.99489 \Rightarrow 99.489\%$$

$\frac{1}{0.99489} = 1.005 \Rightarrow$  Gain \* to Get back The  
Freq. of all previous value



when  $R = 180$

$$f_c = \frac{1}{2\pi \times 180 \times 0.1 \times 10^{-6}} = 8841.94 \text{ Hz}$$

$$\frac{V_o}{V_i} = \frac{1}{\sqrt{1 + \left(\frac{1000}{8841.94}\right)^2}} = 0.99366 \Rightarrow 99.366\%$$

$$\text{Gain} = \frac{1}{0.99366} = 1.006 \quad \checkmark$$

(16)

EE 463

30/1/2020

EX

Signal freq 2 KHz, Noise 110 KHz at [1% Noise attenuation.]

$$0.01 = \frac{1}{\sqrt{1 + \left(\frac{110 \text{ KHz}}{f_c}\right)^2}} \Rightarrow f_c = 1.105 \text{ KHz}$$

effect on the signal.  $\frac{V_o}{V_i} = \frac{1}{\sqrt{1 + \left(\frac{2 \text{ KHz}}{1.1 \text{ KHz}}\right)^2}} = 0.4819$

which is very bad

$$\Rightarrow 48.19\%$$

② up to 5% Noise attenuation.



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$$0.05 = \frac{1}{\sqrt{1 + \left(\frac{110\text{KHz}}{f_c}\right)^2}} = 5.5\text{KHz}$$

effect on the signal = 0.939 which is better  
"step 2"

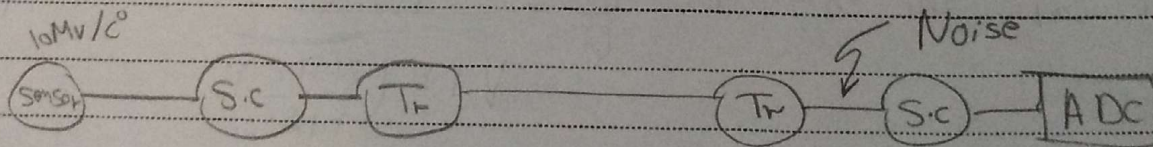
③ up to 7% Noise attenuation

$$0.07 = \frac{1}{\sqrt{1 + \left(\frac{110\text{KHz}}{f_c}\right)^2}} = 7.71\text{KHz}$$

effect on the signal = 96.8%

$$\text{Gain} = \frac{1}{0.968} = 1.033$$

\* When Noise attenuation up to 10%,  $f_c = 11\text{KHz}$ , effect = 98.38%

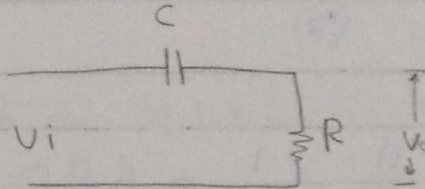




{ iteration in exam }

High pass Filter  $\rightarrow [F_s > f_c]$   
 (لا يمرر لـ low ، يمرر لـ high)

$$\frac{V_o}{V_i} = \frac{F / f_c}{\sqrt{1 + \left(\frac{F}{f_c}\right)^2}}$$



EX  $\rightarrow$  Noise 50Hz , Signal 1KHz (Select / design)  
 The Filter Circuit & Calculate The effect on  
 The Signal.  
 Solution :

$$0.01 = \frac{50\text{Hz} / f_c}{\sqrt{1 + \left(\frac{50}{f_c}\right)^2}} = 5\text{KHz} \rightarrow [\text{at } 1\%]$$

which is very bad because  $f_c$  is higher than  
 The Signal.

[at 5%]

$$0.05 = \frac{50\text{Hz} / f_c}{\sqrt{1 + \left(\frac{50}{f_c}\right)^2}} = 998\text{ Hz} \left[ \begin{array}{l} \text{effect on The Signal} \\ 70\% \end{array} \right]$$



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(47)

3/2/2020

$$R = \frac{9 - 2.1}{10 \text{ mA}} = 6.90 \Omega$$

[Green = 2.1V]

$$R \approx 680 \Omega \rightarrow \text{Green, 3A / 10.14 mA}$$

[use 10mA] ✓

max 20mA

Q1 (18)

EXAM!

6/2/2020

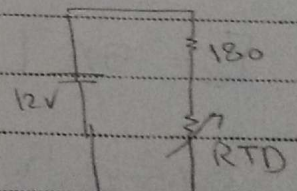
B

$$\text{Temp} = (-15^\circ\text{C} \sim 180^\circ\text{C})$$

$$\text{Sensor o/p Range} = [200 + (-15 \times 0.39)] \sim [200 + (180 \times 0.39)]$$

$$= 194.15 \Omega \sim 270.2 \Omega$$

$$V_{\text{min}} = 12 \times \frac{194.15}{194.15 + 180} = 6.22691 \text{ V}$$



$$V_{\text{max}} = 12 \times \frac{270.2}{270.2 + 180} = 7.20218 \text{ V}$$

Voltage Divider o/p (6.22691 ~ 7.20218)

$$\text{Scale Factor} = 5 \text{ KHz} / 1.2 \text{ V} \Rightarrow 4.1667 \frac{\text{KHz}}{\text{V}}$$

$$\text{VFC output Range } (6.22691 \text{ V} \times 4.1667 \frac{\text{KHz}}{\text{V}} \sim 7.20218 \text{ V} \times 4.1667 \frac{\text{KHz}}{\text{V}})$$



$$(25.945458 \text{ KHz} \sim 30.008875 \text{ KHz})$$

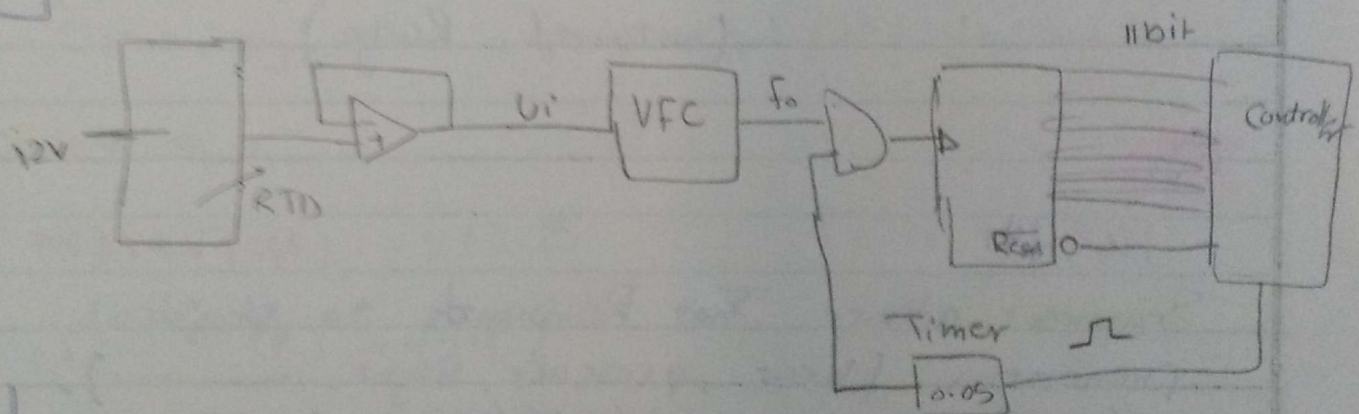
$$20 \text{ Sample / Sec} \rightarrow \text{Jury Cycle} = \frac{1}{20} = 0.05 \text{ sec}$$

- Counter o/p Range:  $\rightarrow$  ~~1000~~

$$(0.05 \times 25.9454 \text{ KHz} \sim 0.05 \times 30.008875 \text{ KHz})$$

$$(1297.2729 \text{ pulses} \sim 1500.44375 \text{ pulses})$$

A



C

@ ~~112~~ 112°C

$$\text{Sensor o/p: } (112^\circ \times 2.39 \frac{\Omega}{^\circ}) + 200 = 243.68 \Omega$$

$$\text{VD o/p} = 12 \times \frac{243.68}{243.68 + 180} = 6.9018 \text{ V}$$

$$\text{VFC o/p} = 6.9018 \times 4.16667 = 28.7575 \text{ KHz}$$



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Counter o/p = 28.757 KHz  $\times 0.65 \text{ sec}$ 

$$= 1437.877 = (1437)_{10}$$

$$(10110011101)_2$$

$$\boxed{d} \quad (1111101000)_2 \rightarrow (1000)_{10}$$

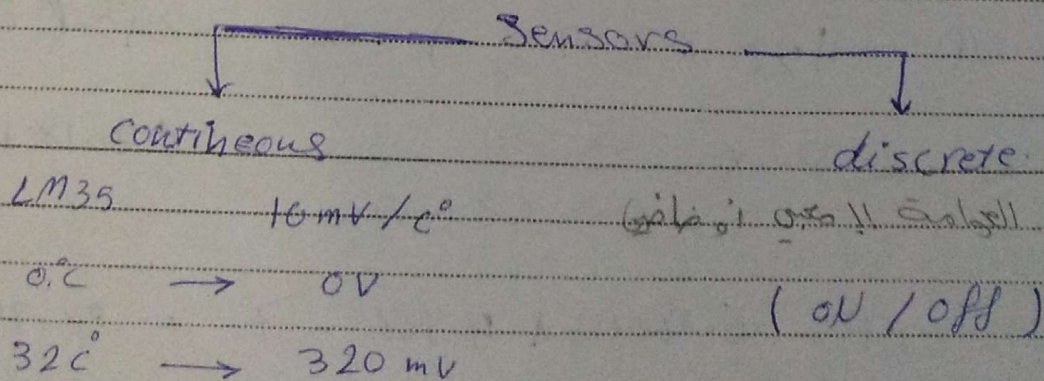
which is less than The min Range  
(out of Range)

Q2

lect 49)

10/2/2020

**Sensors:** a device That Responds to physical phenomena (heat, pressure, light, ...). and Convert to signal Relating to The quantity being measured.





1\* passive Sensor: R, L لا يحتاج تغذية

2\* active sensor: solar cell يولد تغذية  
Thermo couple

\* Sensor Selection:

- o/p
- 1 Range , 2- Cost , 3- permability , 4- Reliability
  - 5- linearity , 6- Response time , 7- Sensitivity
  - 8- power consumption , 9- size , 10- Temp Range
  - 11- Stability, 12 - availability : 13- life Time !

\* Convert eq:

$$T(^{\circ}C) = T(K) - 273.15$$

$$T(^{\circ}F) = T(R) - 459.6$$

$$T(^{\circ}F) = \frac{9}{5} T(^{\circ}C) + 32$$

Rankine	Fahrenheit	Celsius	Kelvin
R <sup>o</sup>	F <sup>o</sup>	C <sup>o</sup>	K <sup>o</sup>
← 672	212	100	373
← 492	32	0	273



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Temperature:

PTC  $T \uparrow$  O/P  $\uparrow$  Positive Temp Coeff

NTC  $T \downarrow$  O/P  $\downarrow$  Negative " "

PT 1000  $\rightarrow$  sensitive  $3.9^\circ C/\Omega$

$(0.5 \sim 5)s \leftrightarrow$  RTD  $\phi = 81.1 \mu\Omega/\Omega$

$(-100 \sim 135^\circ C)$

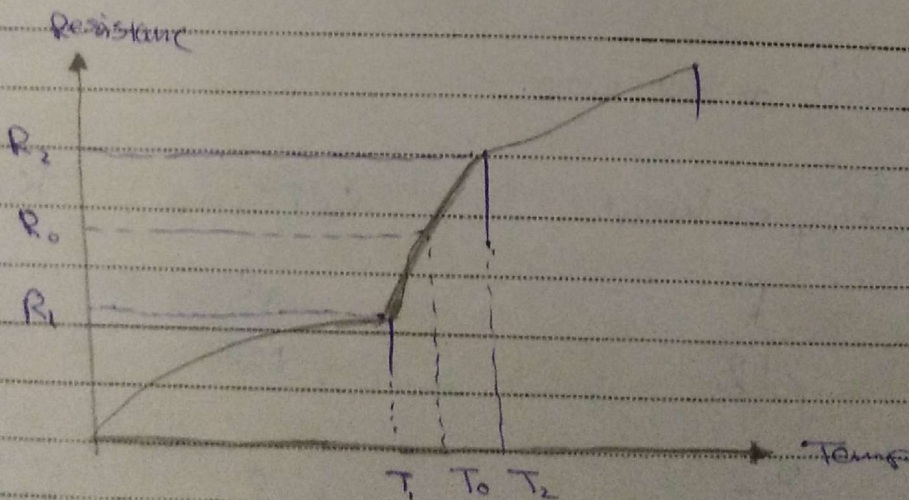
القياس

$(-180 \sim 300^\circ C)$

القياس

Temp Range

\* if my sensor not linear : Two method





## Linear approximation method ▶

$$R(T) = R(T_0) (1 + \alpha_0 \Delta T)$$

$$\Delta T = T - T_0$$

$$\alpha_0 = \frac{1}{R(T_0)} \frac{R_2 - R_1}{T_2 - T_1}$$

$R(T)$  approximation of Resistance at Temp  $T$

$R(T_0)$  " " "  $T_0$

$\alpha_0$  = fractional change in Resistance per degree of Temp.

lect(20)

13/2/2020

Ex: a Sample of metal Resistance versus Temperature has the following measured values.

	$T(^{\circ}F)$	$R(\Omega)$	
$T_1$	60	106.0	$R_1$
	65	107.6	
	70	109.1	
$T_0$	75	110.2	$R_0$
	80	111.1	
	85	111.7	
$T_2$	90	112.2	$R_2$



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Find The linear approximation of The Resistance Versus Temperature between 60 & 90°F.

$$\alpha_0 = \frac{1}{R(T_0)} \left( \frac{R_2 - R_1}{T_2 - T_1} \right)$$

$$\alpha_0 = \frac{1}{110.2} \left( \frac{112.2 - 106.0}{90 - 60} \right) = 1.8753 \times 10^{-3}$$

$$T = 61^\circ\text{F}$$

$$R(T) = R(T_0) [1 + \alpha_0 \Delta T]$$

$$= 110.2 [1 + 1.8753 \times 10^{-3} (61 - 60)]$$

$$= 107.3068 \, \Omega$$

$$T = 65^\circ\text{F}$$

$$R(T) = 110.2 [1 + 1.8753 \times 10^{-3} (65 - 60)]$$

$$= 108.1334 \, \Omega$$

$$T = 87.5^\circ$$

107.6 مفرق - 107.6

$$R(T) = 112.67 \, \Omega$$

$$\frac{107.1 - 106}{107.1} = 1\%$$

60°F is

نسبة الخطأ !!



quadratic approximation. method :

$$R(T) = R(T_0) [1 + \alpha_1 \Delta T + \alpha_2 (\Delta T)^2]$$

$$\Delta T = T - T_0$$

$$\alpha_1 = \frac{1}{R(T_0)} \left( \frac{R_2 - R_1}{T_2 - T_1} \right)$$

Same as previous Ex using quadratic:

$$R(T) = R(T_0) [1 + \alpha_1 \Delta T + \alpha_2 (\Delta T)^2]$$

$$112.2 = 110.2 [1 + \alpha_1 (90 - 75) + \alpha_2 (90 - 75)^2]$$

$$106.0 = 110.2 [1 + \alpha_1 (60 - 75) + \alpha_2 (60 - 75)^2]$$

$$0.01814 = [\alpha_1 15 + 225 \alpha_2]$$

$$-0.03811 = [\alpha_1 15 + 225 \alpha_2]$$

$$\alpha_1 = 1.8667 \times 10^{-3}, \alpha_2 = -4.444 \times 10^{-5}$$

$$T = 61.5^\circ$$

$$R(T) = 106.36 \Omega$$

$$T = 87^\circ F$$

$$R(T) = 111.96 \Omega$$

$$T = 65^\circ F$$

$$R(T) = 107.65 \Omega$$



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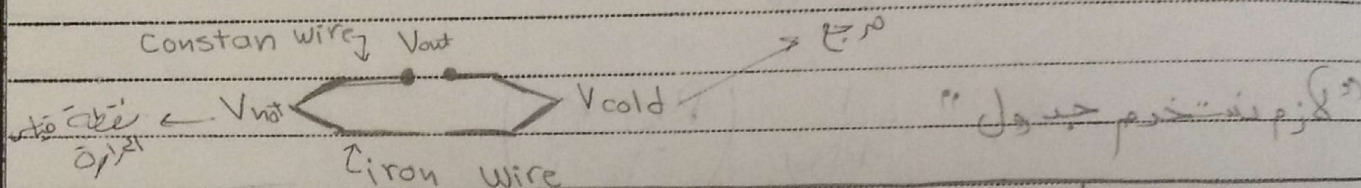
lect (21)

463

20/2/2020

Thermo Couple:

(المزدوج الحراري)



Junction material	Range (°C)	nominal sensitivity (mV/°C)	Type
Platinum 5% / Rhodium	38 ~ 1800	7.7	B
Platinum 30% / Rhodium			
Tungsten 5% / Rhenium	0 ~ 2300	16	C
— " 26% / "			
chromel - Constan	0 ~ 982	76	E
iron - Constan	0 ~ 760	55	J
chromel - Alumel	184 ~ 126	39	K

- 1\* Controlled Temperature reference block.
- 2 Reference Composition circuit
- 3 Software Reference Correction.

Composition



\* خرج المعبر بـ mV

0 5 10 15 20 ~ ~ ~

-0 → الفوقيان يولد بـ سالب  
+0 → " " " " بالوجب

\* عند درجة 0°C

J-Type

25°C = 1.28 mV  
-30°C = -1.48 mV  
675°C = 37.6 mV  
-95°C = -4.42 mV  
-125°C = -5.61 mV  
-55°C = -2.66 mV

$$T_m = T_L + \left[ \frac{T_H - T_L}{V_H - V_L} \right] (V_m - V_L)$$

$$V_m = V_L + \left[ \frac{V_H - V_L}{T_H - T_L} \right] (T_m - T_L)$$

لذلك عند الحاجة من وجود في الجدول interpolation

**EX:** a Voltage of 23.72 mV is measured with K Thermo Couple, Find The Temperature of measurement Junction :

$$\left. \begin{array}{l} V_L = 23.63 \\ T_L = 570^\circ\text{C} \end{array} \right\} \begin{array}{l} V_m \text{ أصغر من} \\ T_m \end{array}$$

$$\left. \begin{array}{l} V_H = 23.84 \\ T_H = 575^\circ\text{C} \end{array} \right\} \begin{array}{l} V_m \text{ أكبر من} \\ T_m \end{array}$$



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$$T_m = 572.1429^\circ\text{C} \quad \checkmark \quad \text{using equation}$$

**EX:** Find The Voltage of Type J Thermocouple with Zero degree reference if Shunt Temp is  $-172^\circ\text{C}$

$$V_m = -7.18 \text{ mV}$$

$$T_m = -172^\circ\text{C}$$

$$V_H = -7.12 \text{ mV}$$

$$V_L = -7.27 \text{ mV}$$

$$T_H = 170^\circ\text{C}$$

$$T_L = -175^\circ\text{C}$$

24/2/2020

lect(22)

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Change of Table Reference:

**EX:** a Type J Thermocouple with  $25^\circ\text{C}$  reference is used to measure over Temp from  $200^\circ\text{C}$  to  $400^\circ\text{C}$ , what outputs Voltage corresponded to these Temp?

$$V_{J^*}(T) = V_{J_0}(T) - V_{J_0}(X) \rightarrow (1)$$



$$\textcircled{1} V_{J15}(45) = V_{J_0}(45) - V_{J_0}(15)$$

$$x = \text{new ref} = 2.32 - 0.76$$

$$T = T_{\text{ref}} = 1.56$$

$$\text{ref} = 15^\circ\text{C}$$

$$T = 45^\circ\text{C}$$

Math

$$\text{ref} = 0^\circ\text{C}$$

$$T = 45$$

$$V_{J_0} = 2.32 \text{ mV}$$

$$\cancel{V_{J25}(T)} = \cancel{V_{J_0}(T)} - \cancel{J_a(x)}$$

$$\left[ \begin{aligned} V_{J25}(300) &= V_{J_0}(300) - V_{J_0}(25) \\ &= 16.33 - 1.28 \\ V_{J25}(300) &= 15.05 \text{ mV} \end{aligned} \right]$$

using (1)

$$\left[ \begin{aligned} V_{J25}(400) &= V_{J_0}(400) - V_{J_0}(25) \\ &= 21.85 - 1.28 \\ V_{J25}(400) &= 20.57 \text{ mV} \end{aligned} \right]$$

**EX:** a Type K Thermo couple with 75f

reference produce a Voltage of 35.56 mV  
when is the Temp?

$$T(c) = \frac{5}{9} (75 - 32) = 23.89^\circ\text{C}$$

$$T_H = 25$$

$$T_L = 20$$

$$V_H = 1$$

$$V_L = 0.8$$



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$$(*) \quad T_m = T_L + \left[ \frac{T_H - T_L}{V_H - V_L} \right] (V_m - V_L)$$

$$V_m = V_L + \left[ \frac{V_H - V_L}{T_H - T_L} \right] (T_m - T_L)$$

$$\rightarrow V_m = 0.8 + \left[ \frac{1 - 0.8}{25 - 20} \right] (23.89 - 20)$$

$$V_m = 0.9556 \text{ mV}$$

$$V_{T_{23.89}} = V_{T_0} - V_{T_0}(23.89)$$

$$35.56 \text{ mV} = V_{T_0} - 0.9556$$

$$V_{T_0} = 36.5156$$

~~then~~

$$(*) \quad T_m = 875 + \left[ \frac{880 - 875}{36.55 - 36.35} \right] (36.5156 - 36.35)$$

$$T = 879.14^\circ \text{C}$$



lect(23)

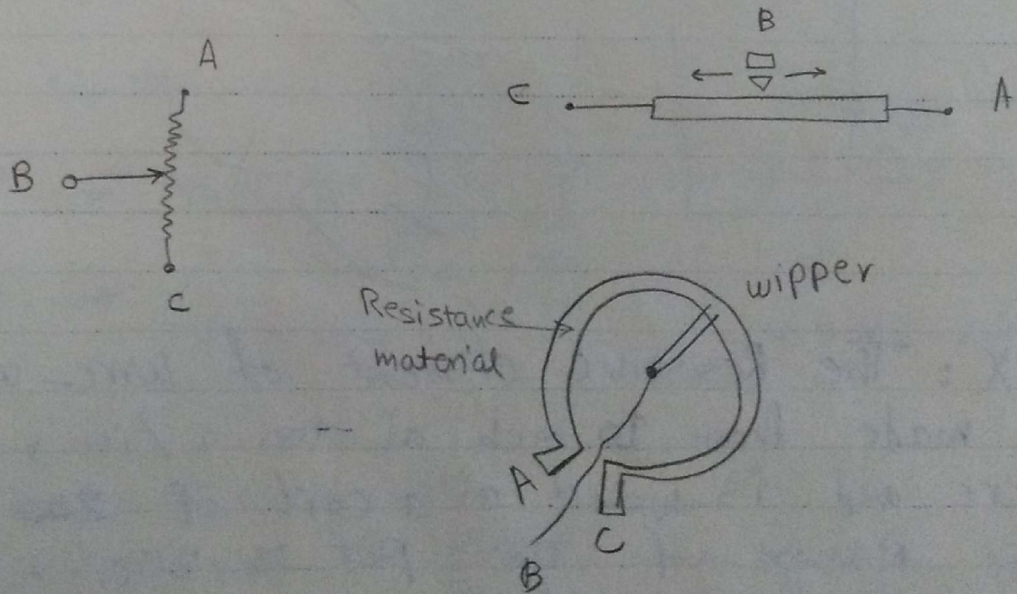
2/3/2020

## Displacement (position Sensor):

- position Sensor Report The physical position of an object with Respect to a Reference point.
- The information Can be an angle as in how many degrees, or linear as how many inches.

### Potentiometer:

- a potentiometer Can be used to Convert rotary or linear displacement to a voltage, actually The pot itself gives Resistance, but The Resistance Value Can easily be converted to a Voltage.





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degree not Temp

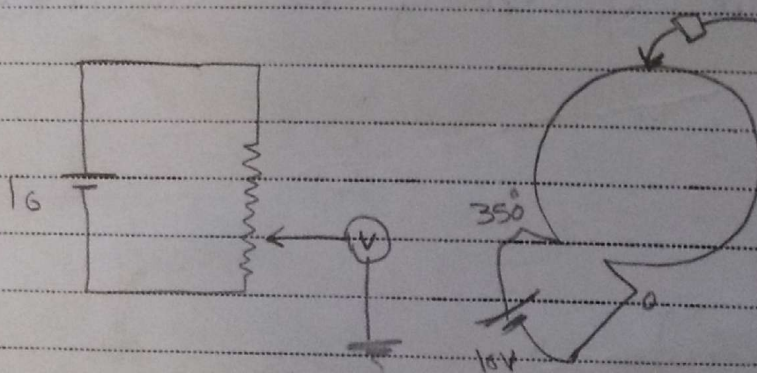
EX: a pot is supplied with 10V & is set at  $82^\circ$ , The Range of this pot is  $350^\circ$  calculate the output Voltage?

$$10V \rightarrow 350^\circ$$

$$0V \rightarrow 0^\circ$$

$$\frac{10V}{350^\circ} = 0.0285 \frac{V}{^\circ} \rightarrow \text{Sensitivity}$$

$$\text{o/p Voltage at } 82^\circ = 82^\circ \times 0.0285 \frac{V}{^\circ} = 2.34V$$



EX: The Resistive element of wire-wound pot is made from 10 inch of 100  $\Omega$  / in, Resistance wire and is wound as a coil of 200 loops. The Range of the pot is  $350^\circ$ , what is the Resolution of this pot?



Resolution →

أقل قيمة قدر، نقسها

$$\text{Pot } R_{\text{total}} = 10 \text{ inch} \times 100 \frac{\Omega}{\text{inch}} = 1000 \Omega$$

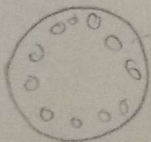
$$- \frac{1000 \Omega}{200 \text{ loop}} = \frac{5 \Omega}{\text{loop}}$$

$$- \frac{350^\circ}{200 \text{ loop}} = 1.75 \frac{^\circ}{\text{loop}}$$

→ Resolution

أقل زاوية قدر  
لنقسها

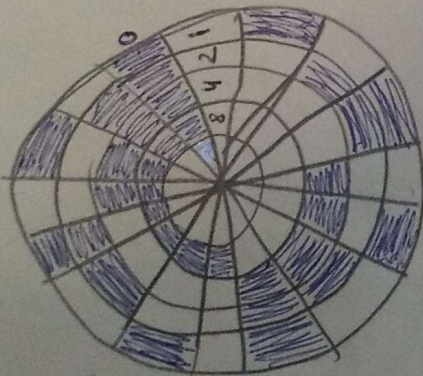
# Rotary Encoder :



كل Pyke بمسافة تنجب  
تسعة

mouse دويرة

# ~~Incremental Encoder~~



# absolute InCoder

\* الدائرة الداخلية & تنجب  
0110  
1001

# incremental inCoder

